

From data to knowledge

Examples of modelling IP in AEM data: synthetic and real data

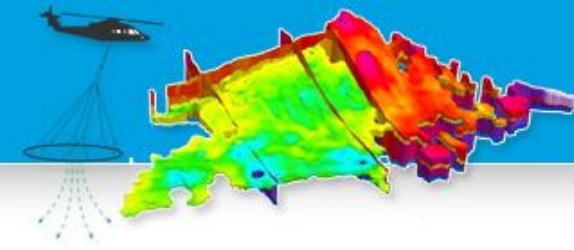
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Aarhus Geophysics

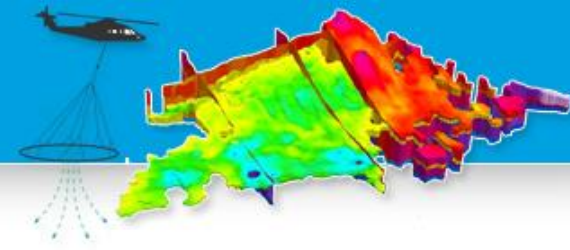


what will you hear



- IP effects can be visible and measurable in AEM data
 - Signature is varied, beyond simple sign change
- IP can be modelled from AEM data, both synthetic and real. We can recover corrected resistivities and some IP parameters
 - Large degree of non uniqueness, which can be reduced by constraints and apriori
 - Chargeability can be recovered down to some depth
- Failure to model IP in IP affected AEM datasets produces:
 - Erroneous resistivity sections
 - Loss of extra information about the subsurface that might be relevant for mineral exploration and other applications

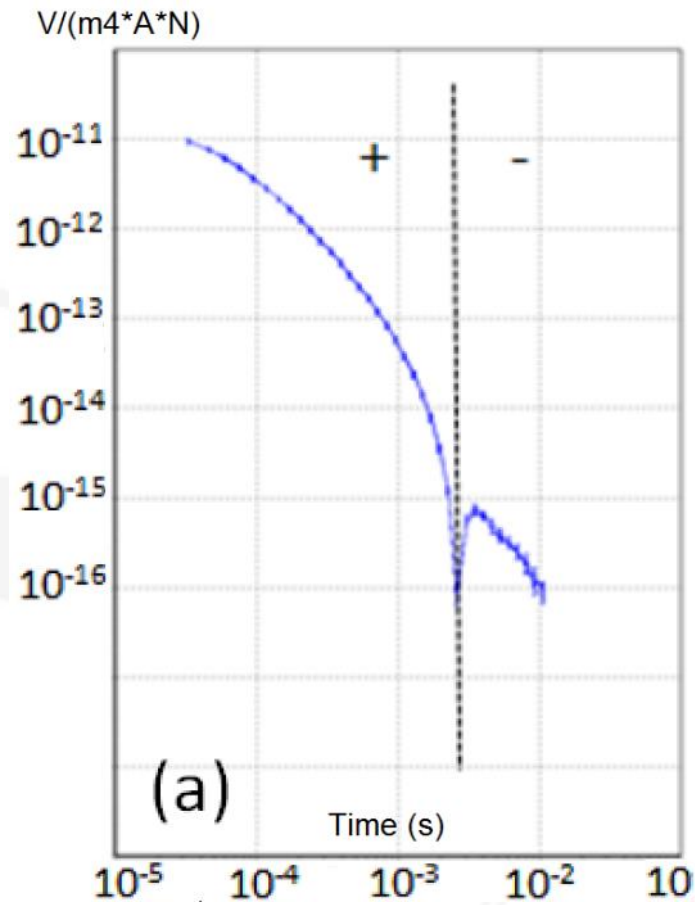
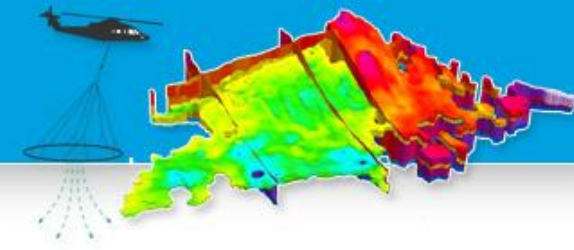




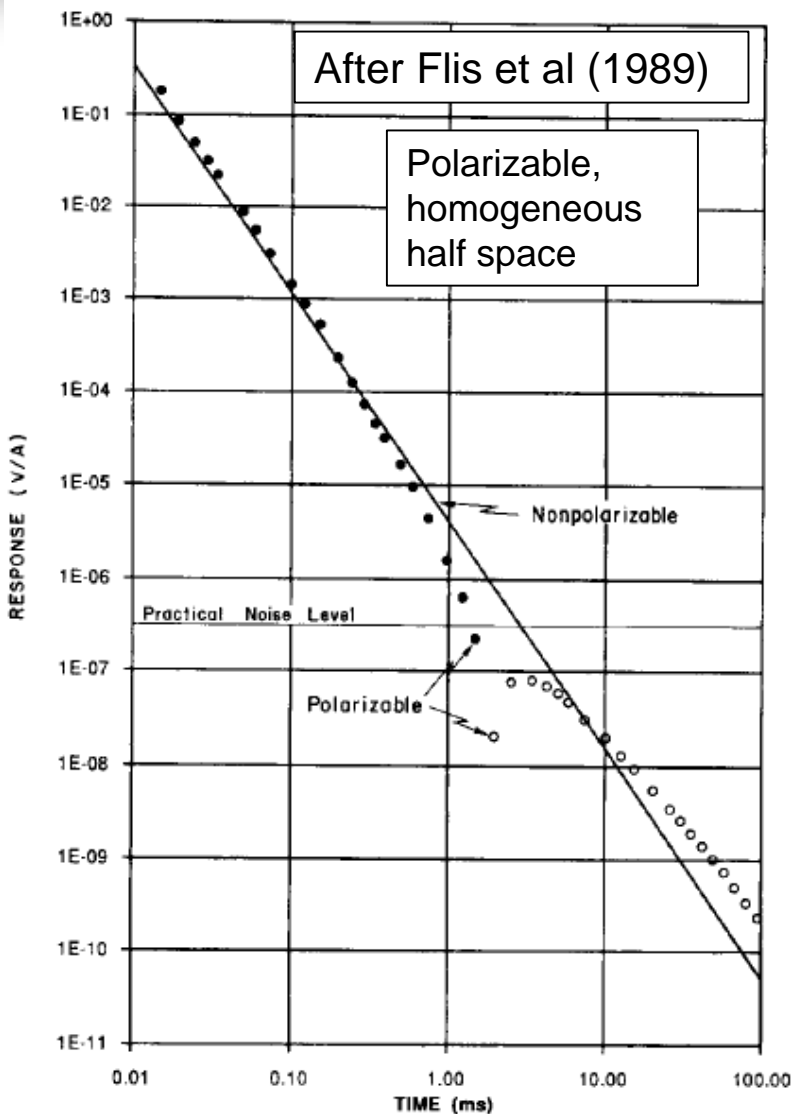
- The evidence
 - Sign changes in central loop* TDEM systems
 - Calls for a frequency dependent resistivity $\rho(\omega)$
- The explanation
 - presence of chargeable (polarizable) material
- The models
 - **Cole Cole** (DC or ∞ frequency limit)
 - GEMTDIP (more parameters)
 - Others with less parameters



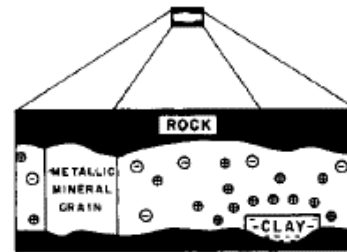
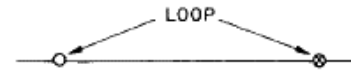
The evidence



The explanation



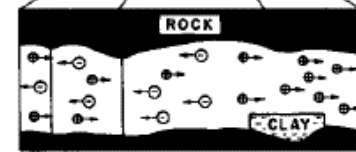
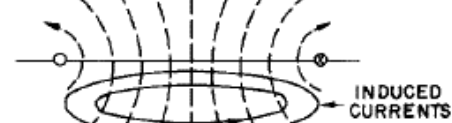
Constant current



IN ELECTRICAL EQUILIBRIUM

PRIMARY
MAGNETIC
FIELD

Ramp down



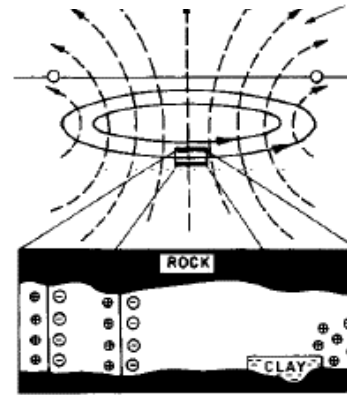
VORTEX
CURRENT POLARIZATION
CURRENT

On time

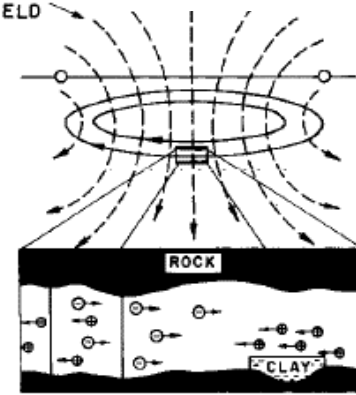
Early times

SECONDARY
MAGNETIC
FIELD

Late times



VORTEX
CURRENT

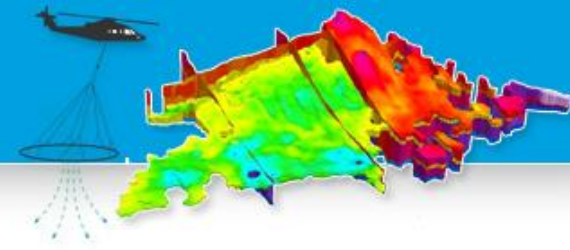


POLARIZATION
CURRENT VORTEX
CURRENT

Off time



The model



- Cole Cole model (DC limit - *Flis et al.*)

$$\sigma(s) = \sigma_0 + \Delta_0 \hat{\sigma}(s), \quad s = i\omega$$

$$\Delta_0 \hat{\sigma}(s) = \frac{\sigma_0 m (s\tau)^c}{1 + (1 - m)(s\tau)^c}.$$

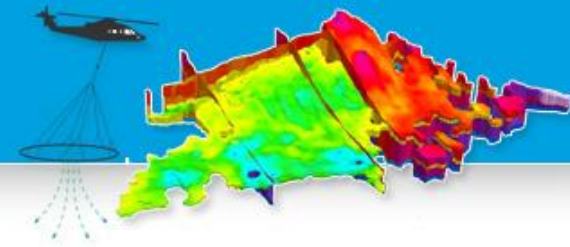
- Cole Cole model (∞ frequency limit - *Smith*)

$$\sigma(s) = \sigma_\infty + \Delta_\infty \hat{\sigma}(s), \quad s = i\omega$$

$$\Delta_\infty \hat{\sigma}(s) = \frac{-\sigma_\infty m}{1 + (1 - m)(s\tau)^c},$$

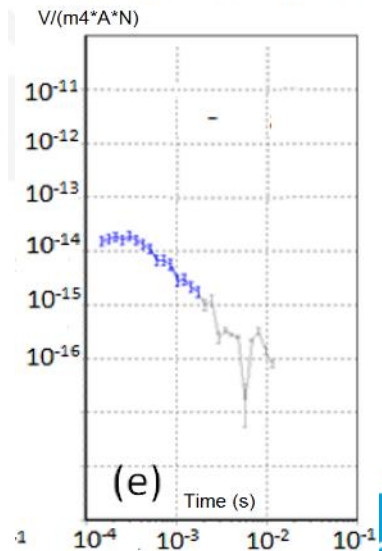
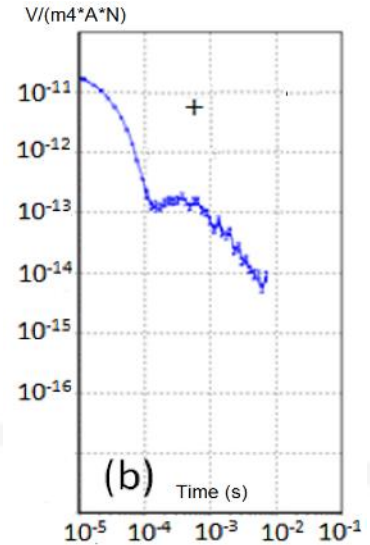
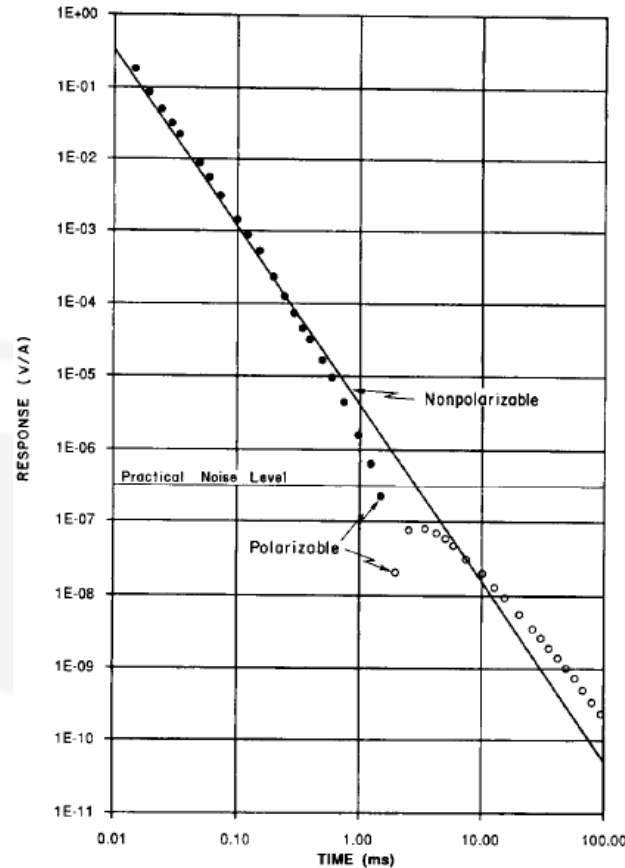


IP effect in TEM data: **BIG FAT WARNING !**

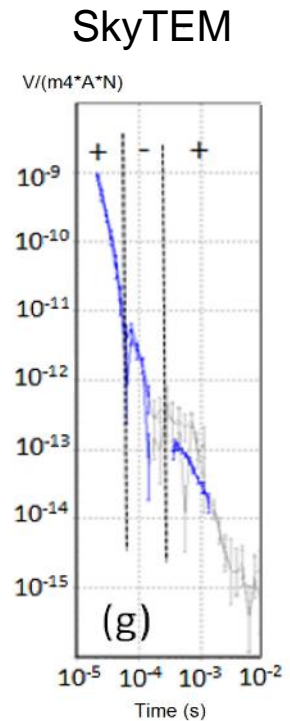
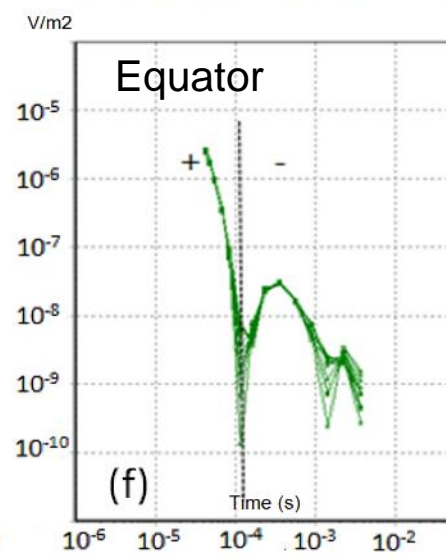
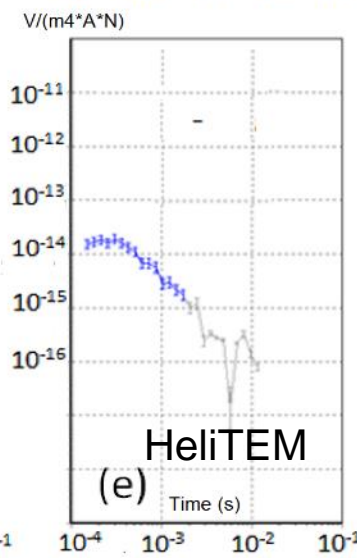
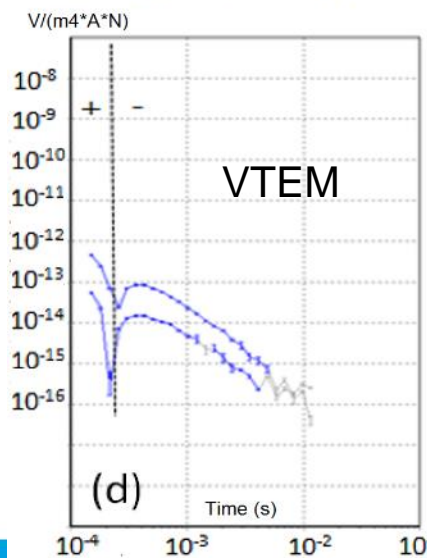
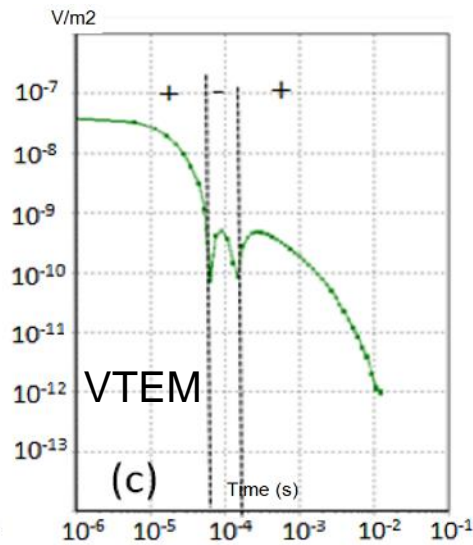
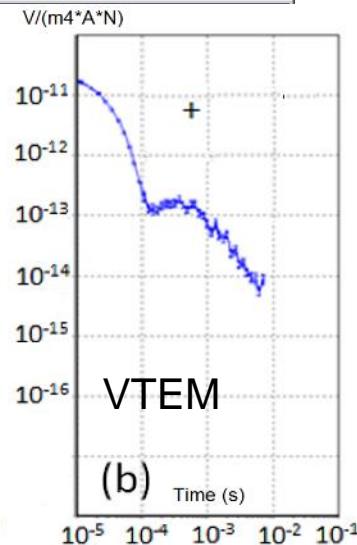
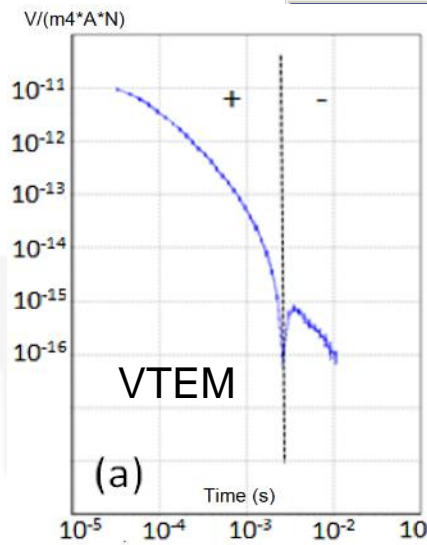
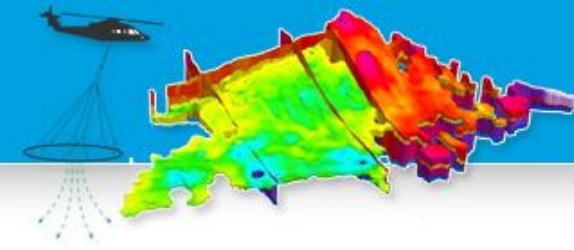


- Even in presence of **IP effect** measureable by a given AEM system, its transients can be distorted **without ever changing sign !** This can be due to:

- Noise level
- Bandwidth
- Combinations of Cole Cole Parameters within a given layer
- Combination of layers

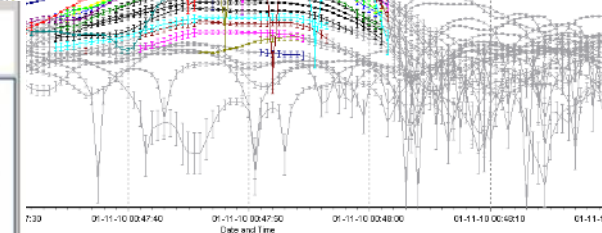
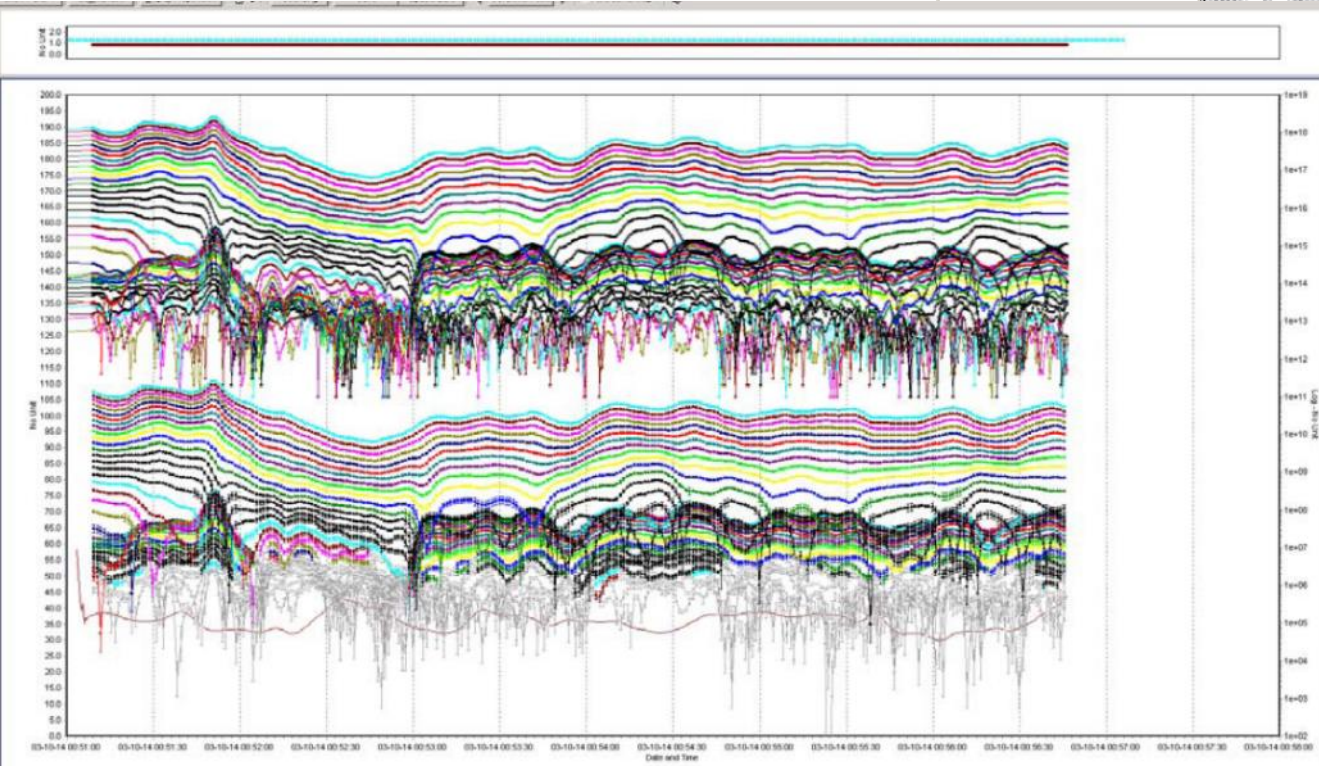
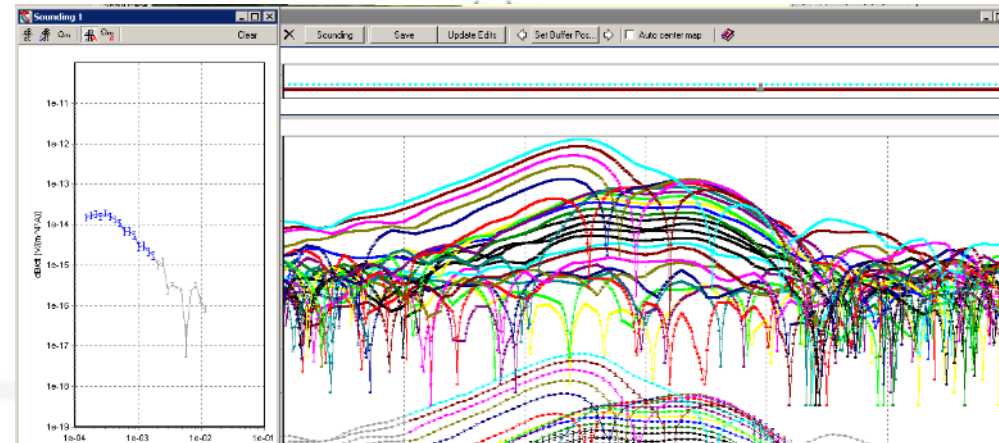


Different IP effects: transients from different AEM systems

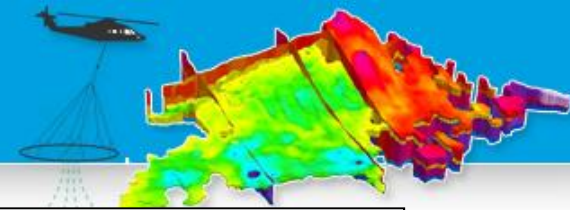


Different IP effects: channels profiles, obvious effects

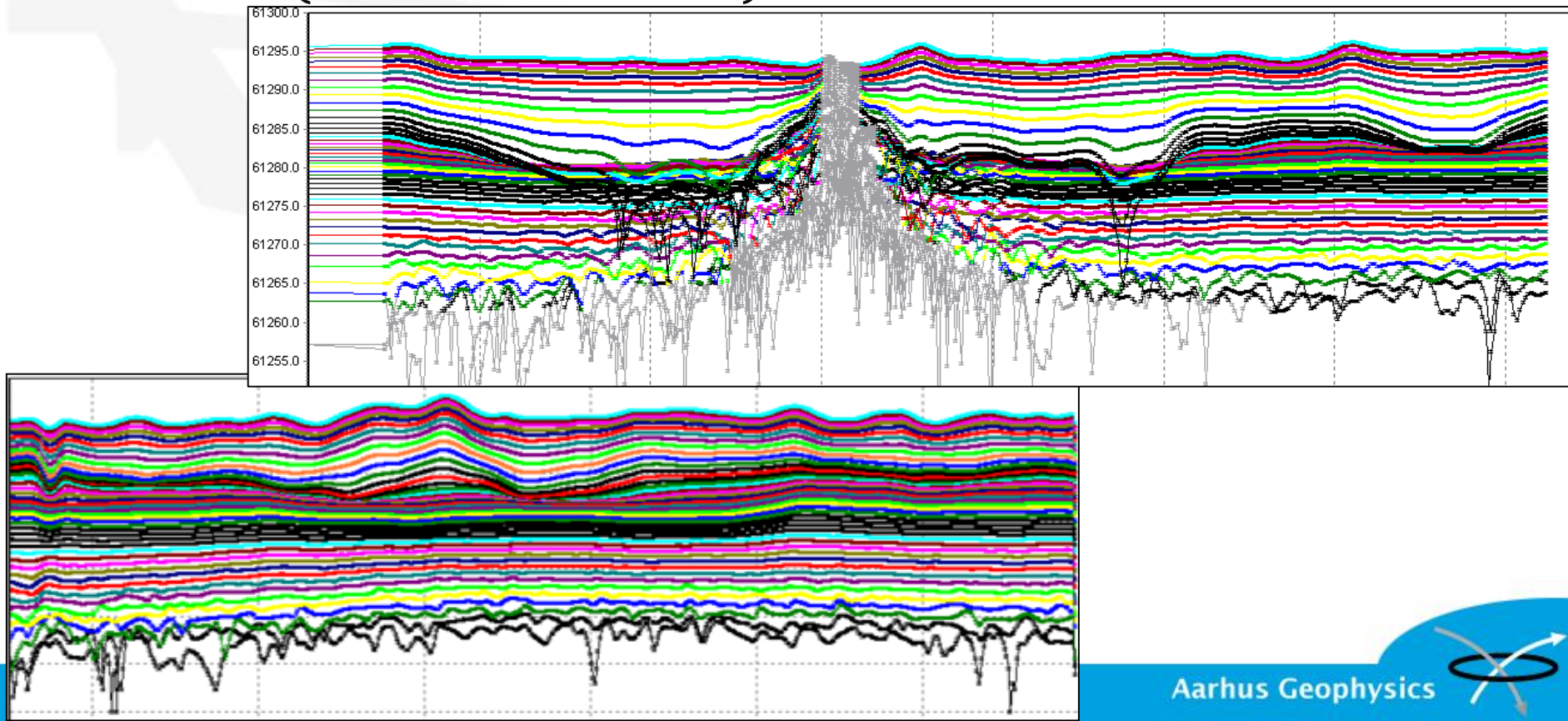
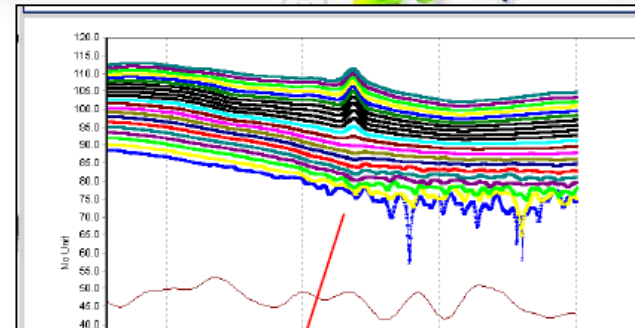
- SkyTEM
 - Copper (Greenland)
 - BIF (Australia)
- HelITEM
 - Base metals (Canada)



Different IP effects: channels profiles: more subtle effects

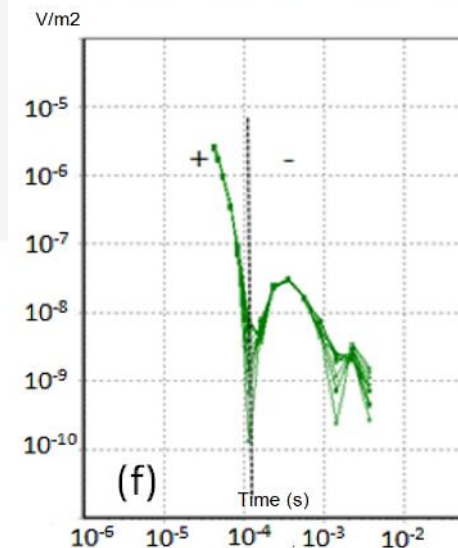
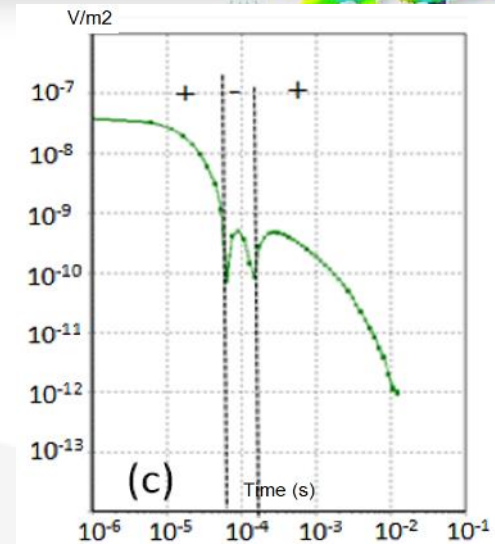
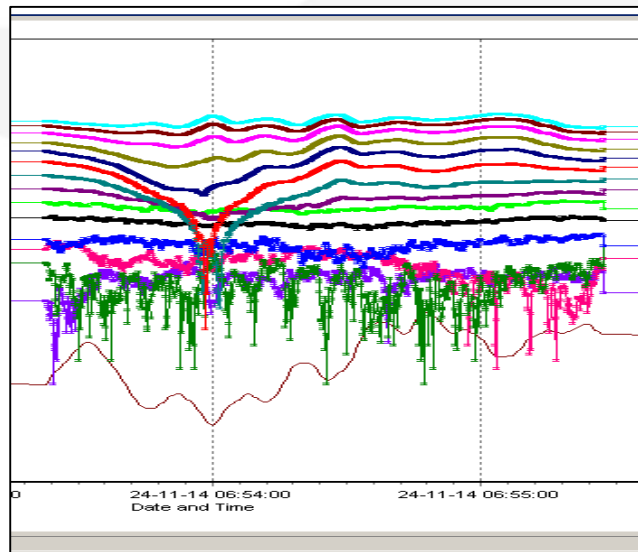
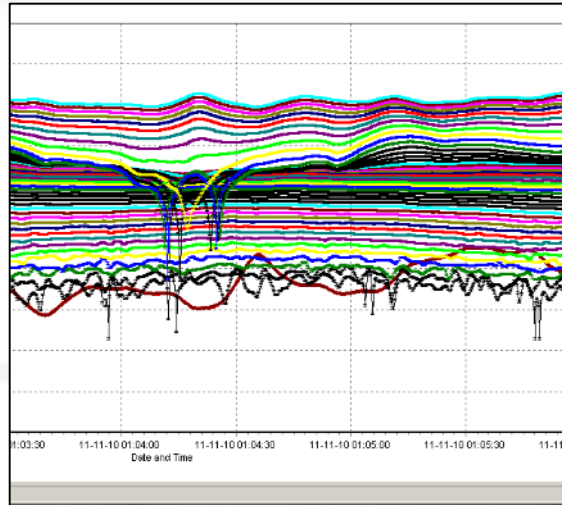


- VTEM
 - Kimberlites (Russia)
 - Permafrost (Russia)
 - Gold (arabic Peninsula)

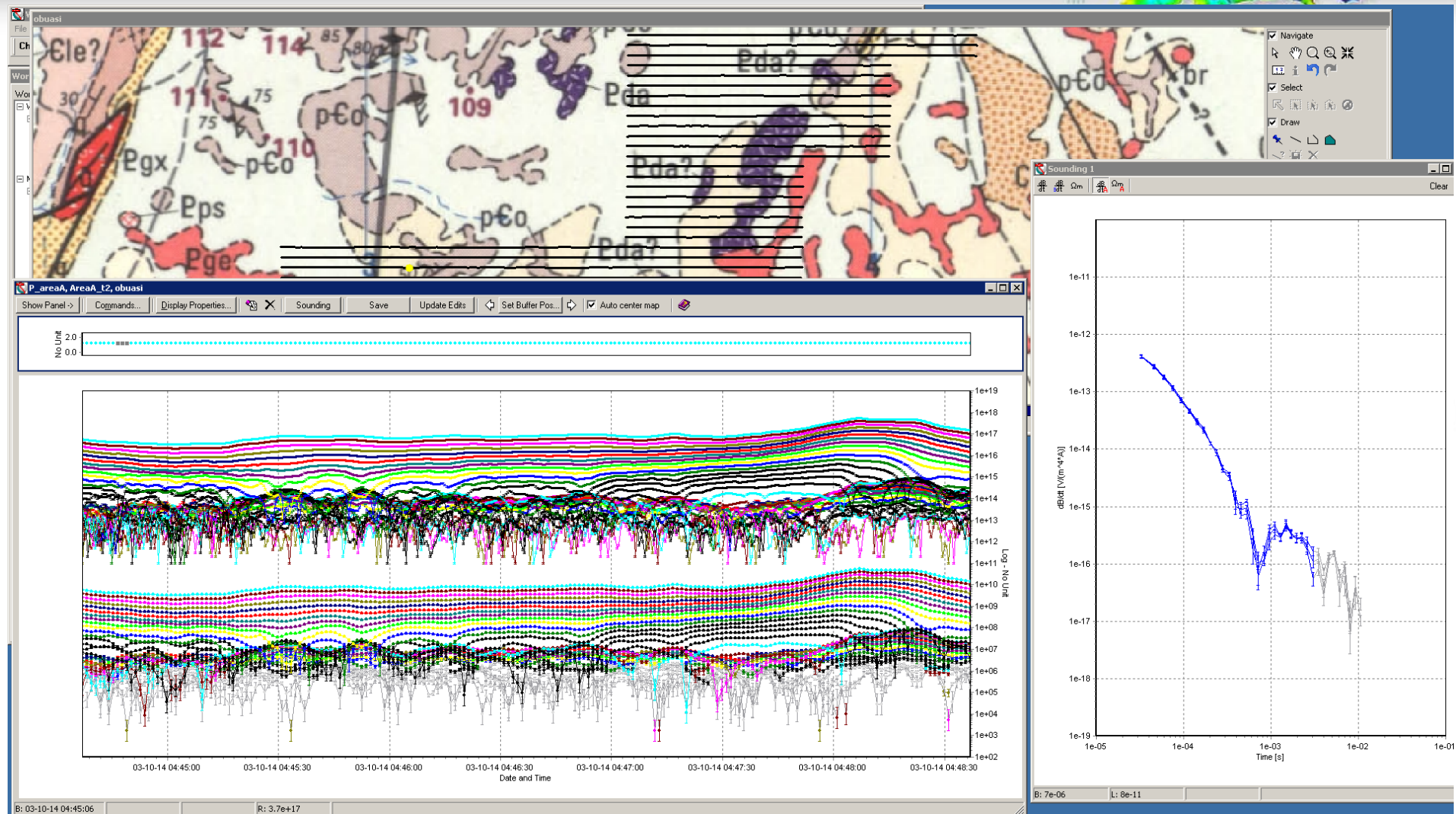
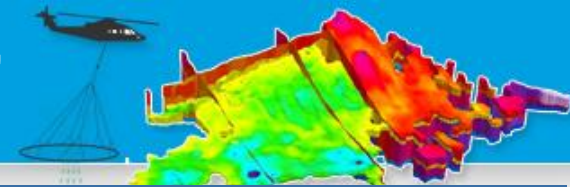


Different IP effects: Same target, 2 AEM systems

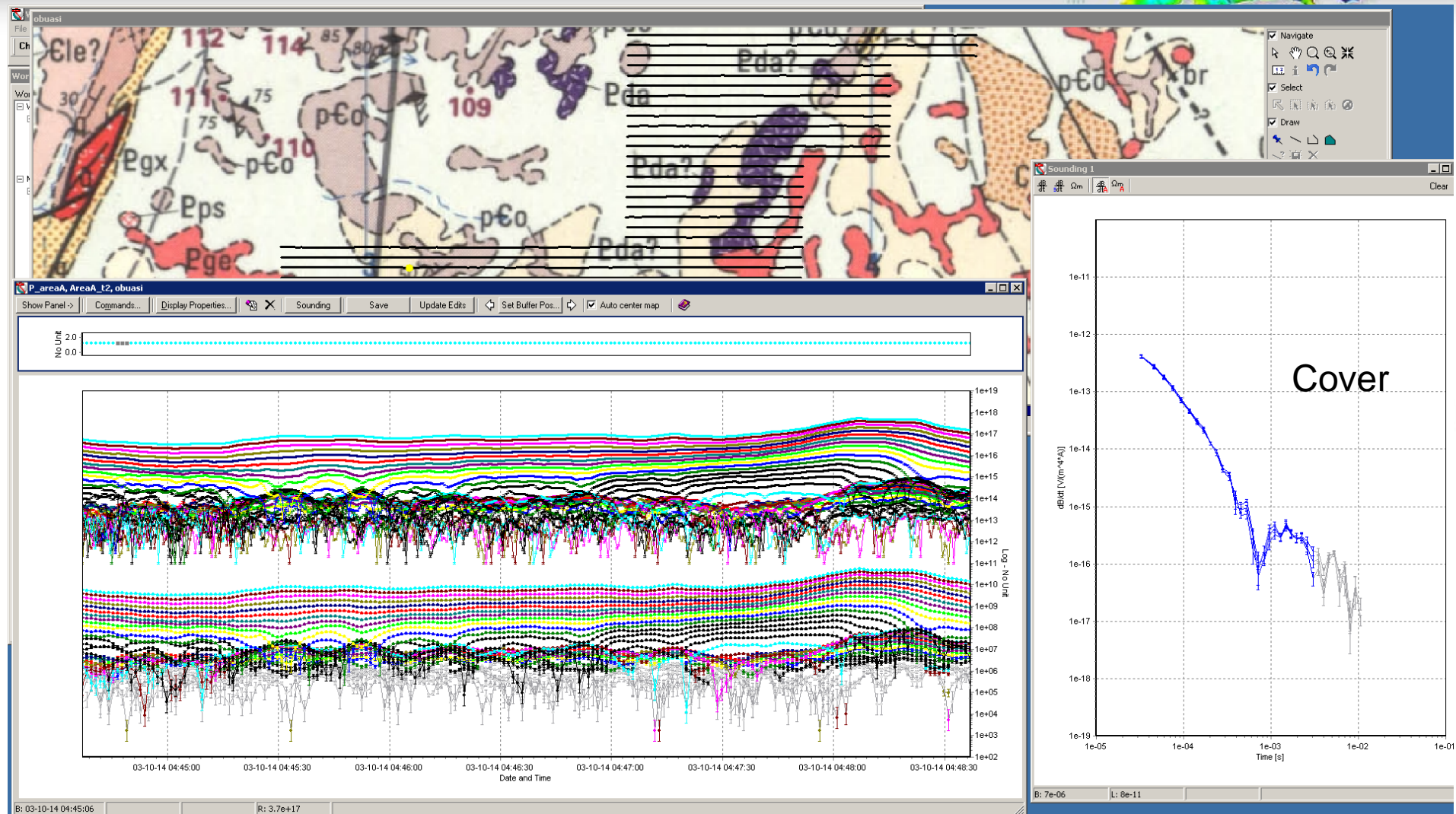
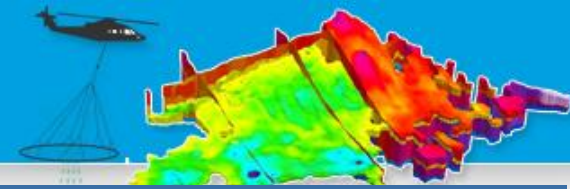
- Kimberlites
 - VTEM
 - Equator



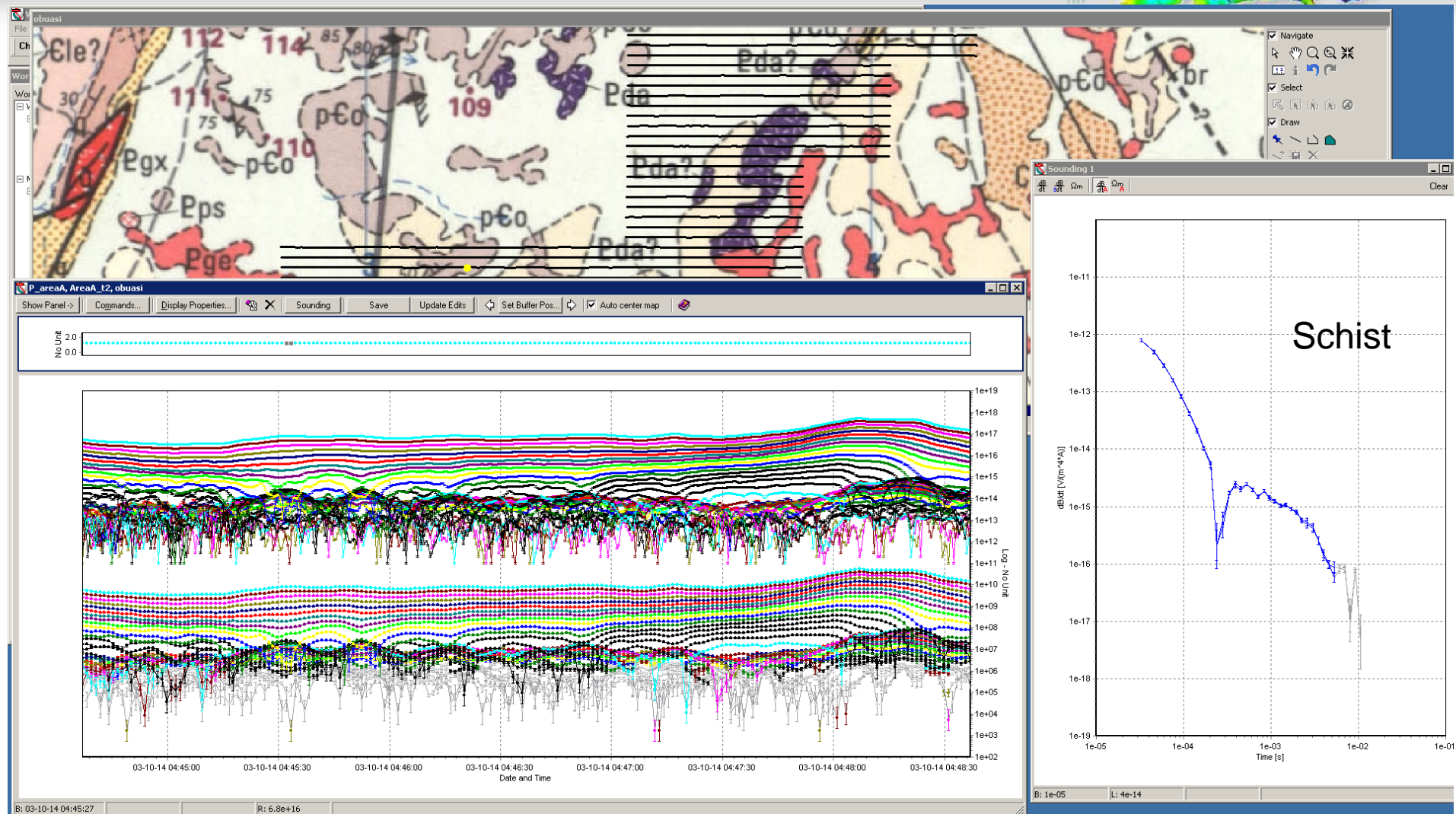
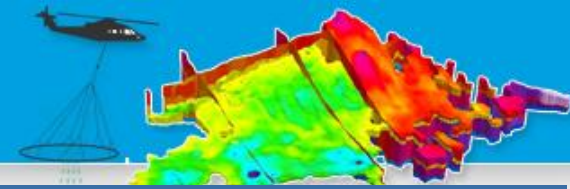
Different IP effects: Same survey, different geologies



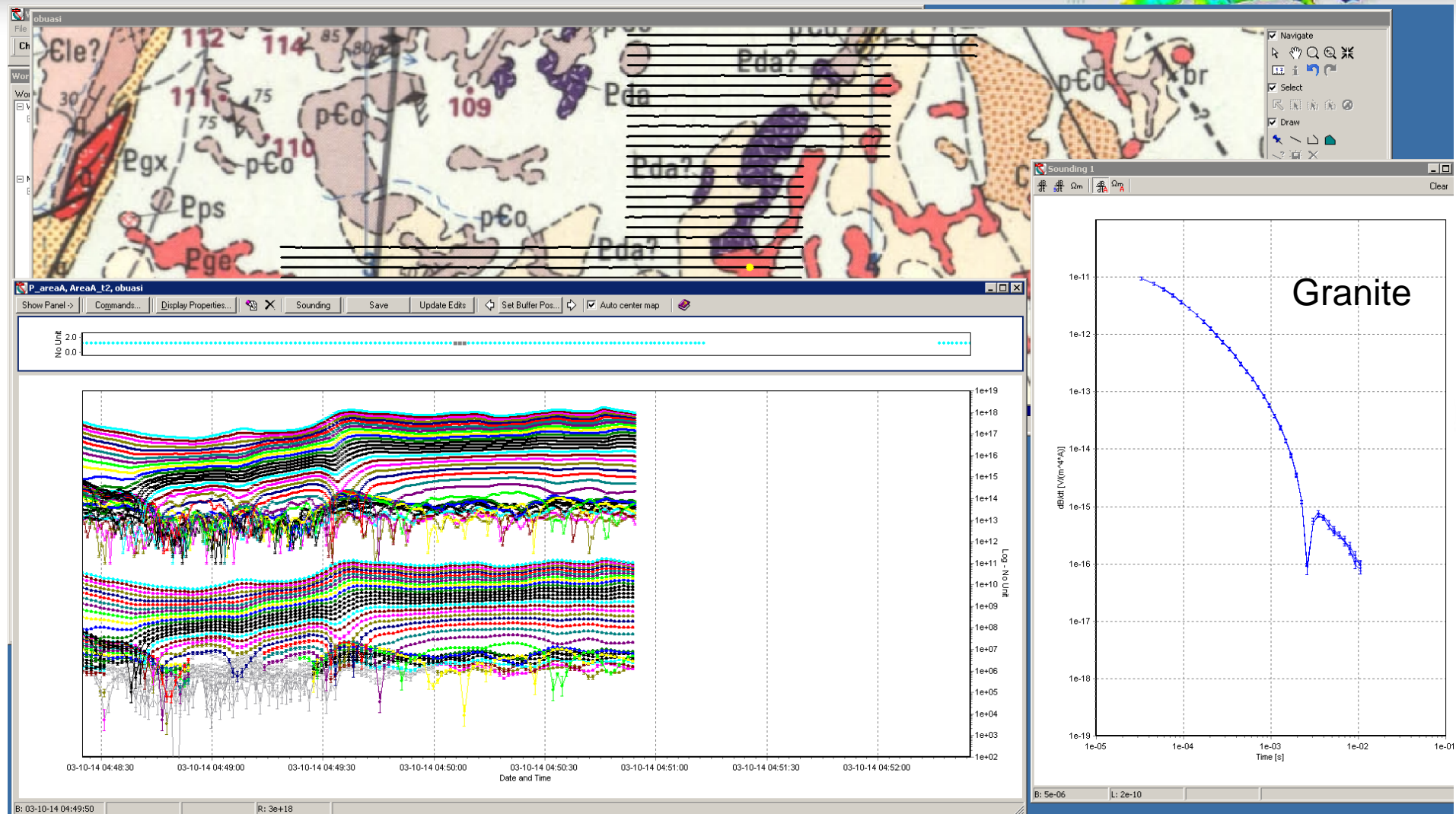
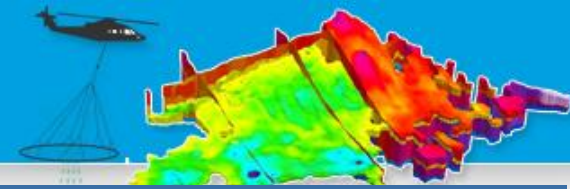
Same survey, different geologies

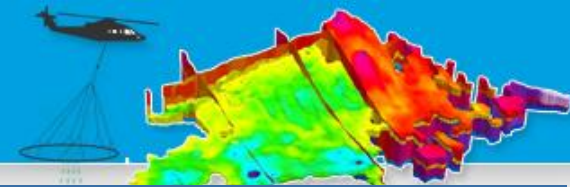


Same survey, different geologies

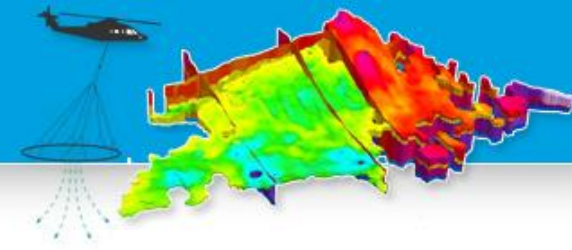


Same survey, different geologies





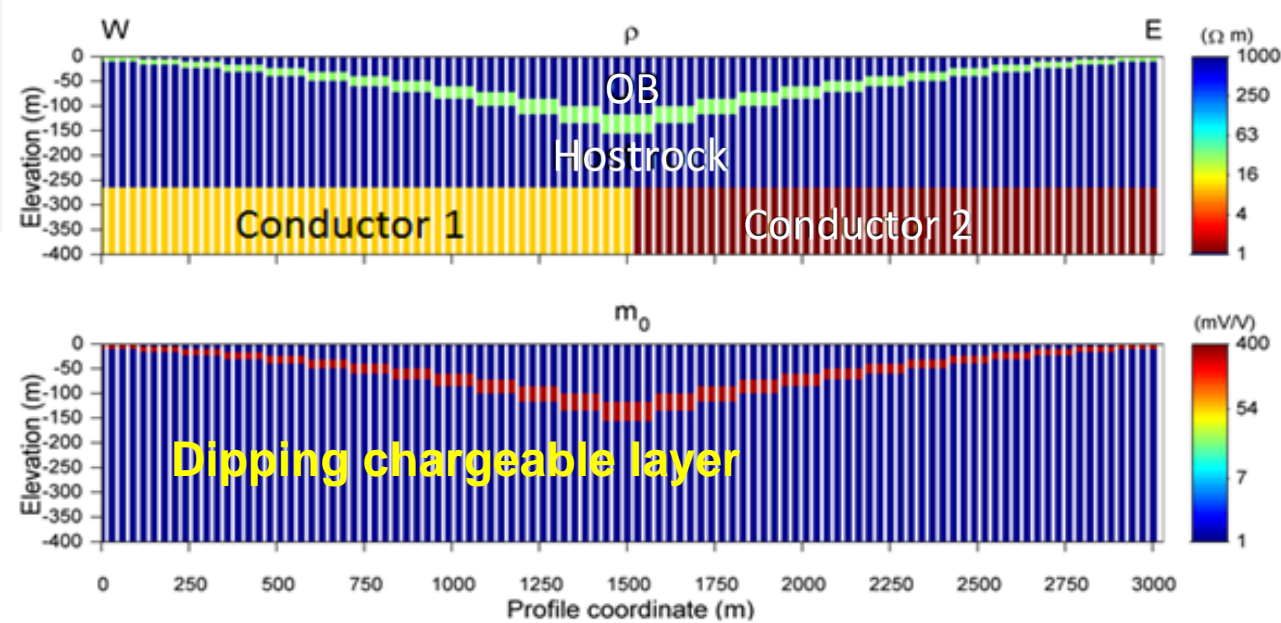
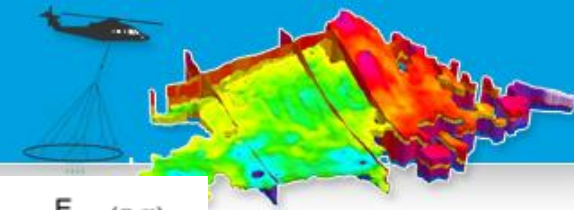
Why is it important to model to model IP in AEM data



- Failure to model IP in IP affected AEM datasets produces
 - Erroneous resistivity sections
 - Loss of extra information about the subsurface that might be relevant for mineral exploration and other applications
- Chargeability can be recovered beyond the near surface (under some conditions)



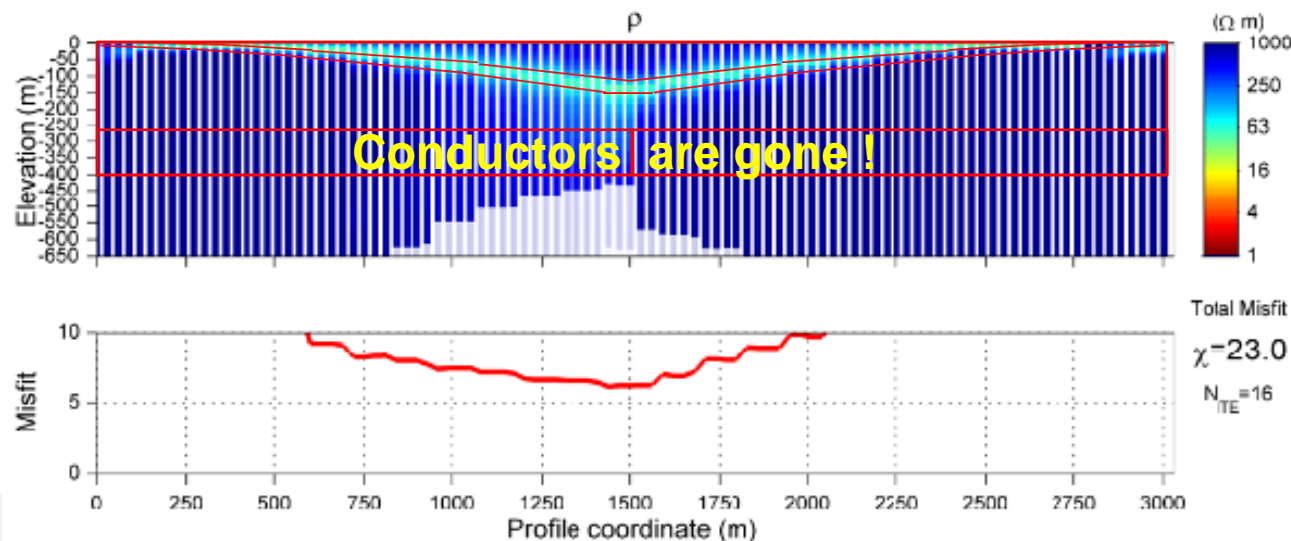
Why is it important to model it: improved resistivity sections



True
model

$\tau = 0.001 \text{ s};$
 $c = 0.5$

FWD, noise
added, inverted
without
modelling IP

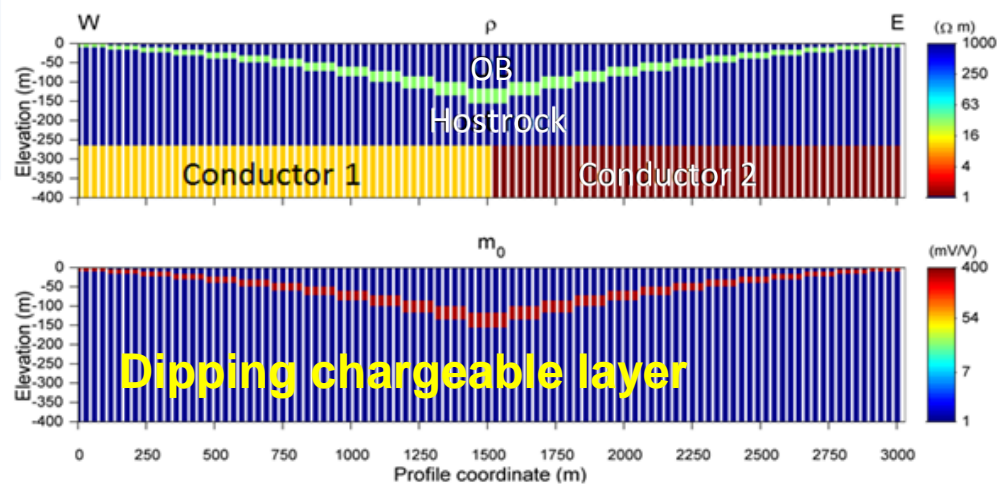


Recovered
model



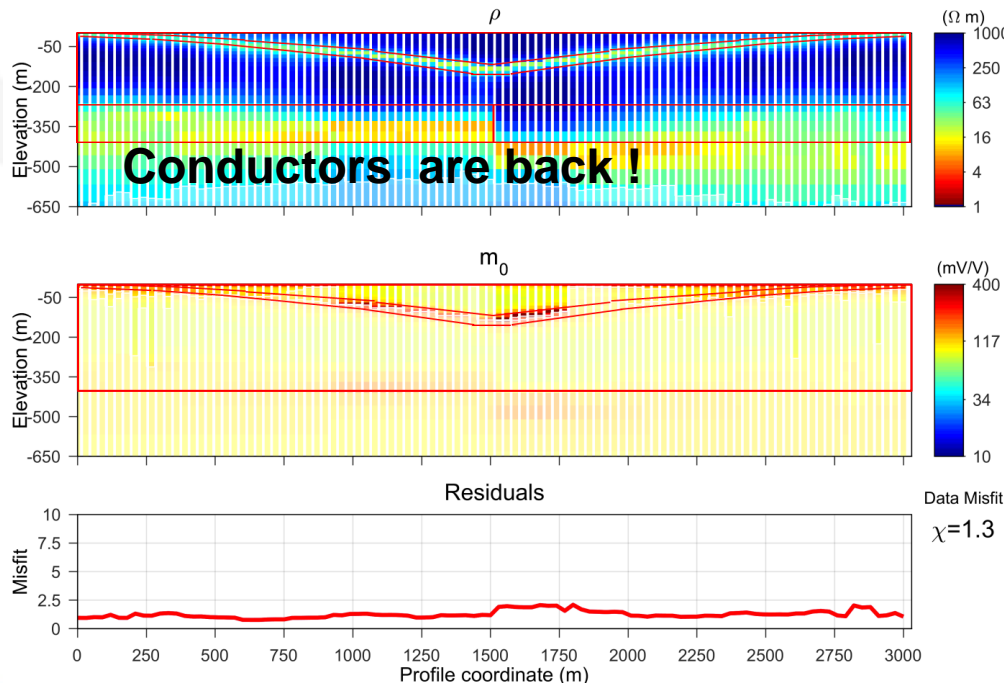
Why is it important to model it: improved resistivity sections

True model

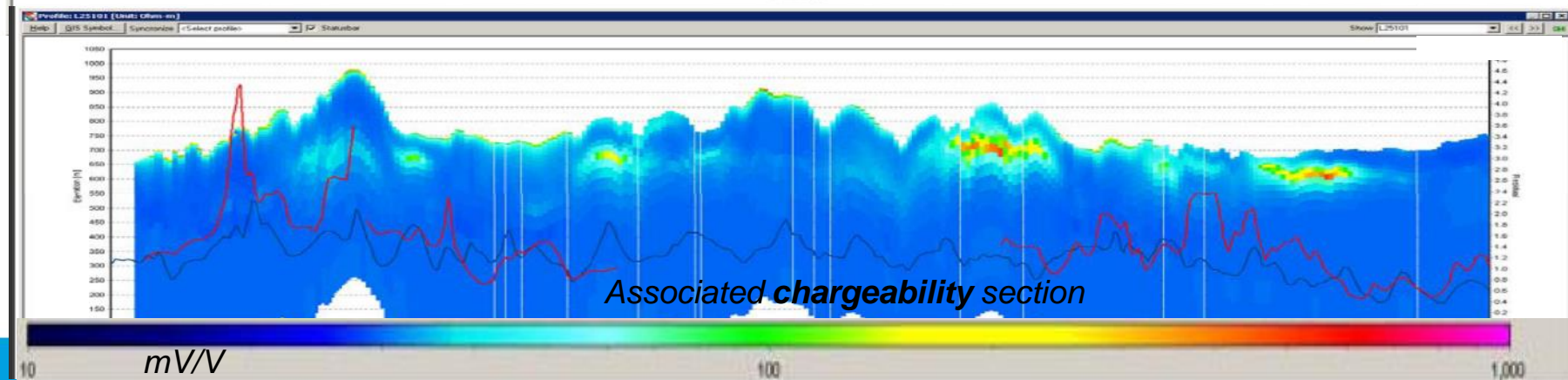
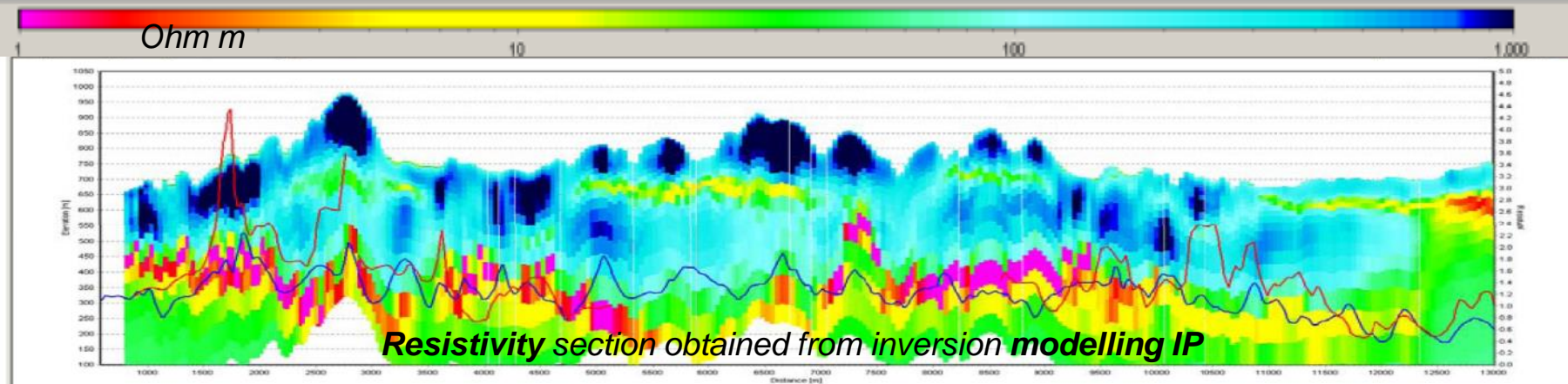
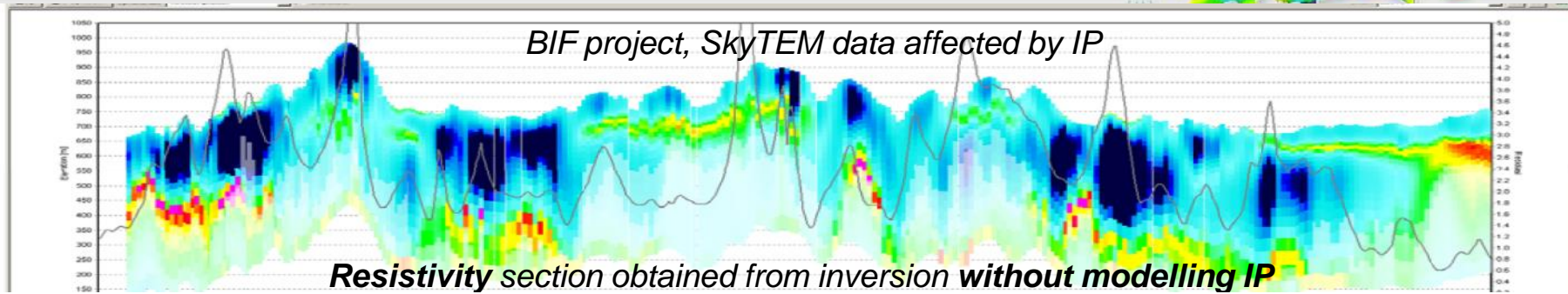
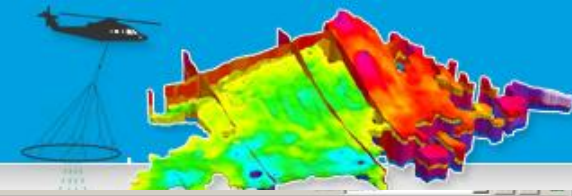


FWD, noise added, inverted
modelling IP
(no apriori)

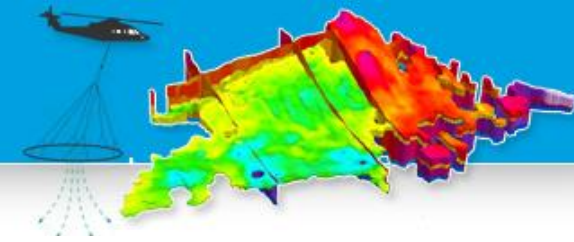
Recovered model



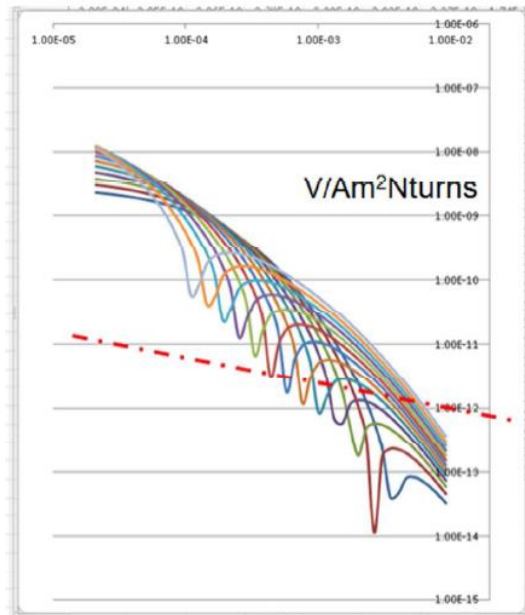
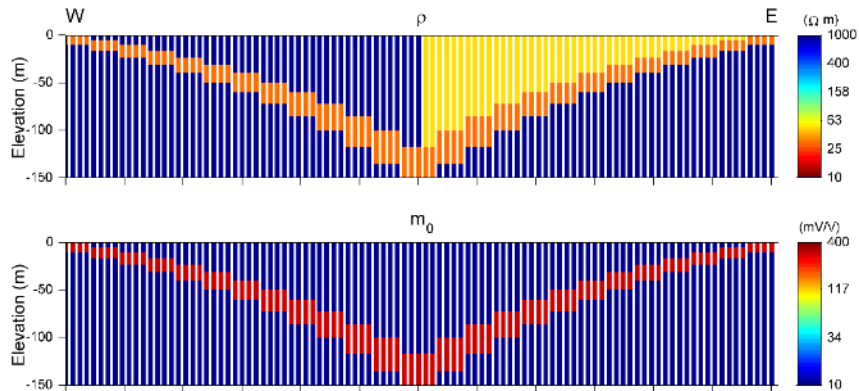
why is it important to model it: improved resistivity sections



Why is it important to model it: it can recover m at some depth

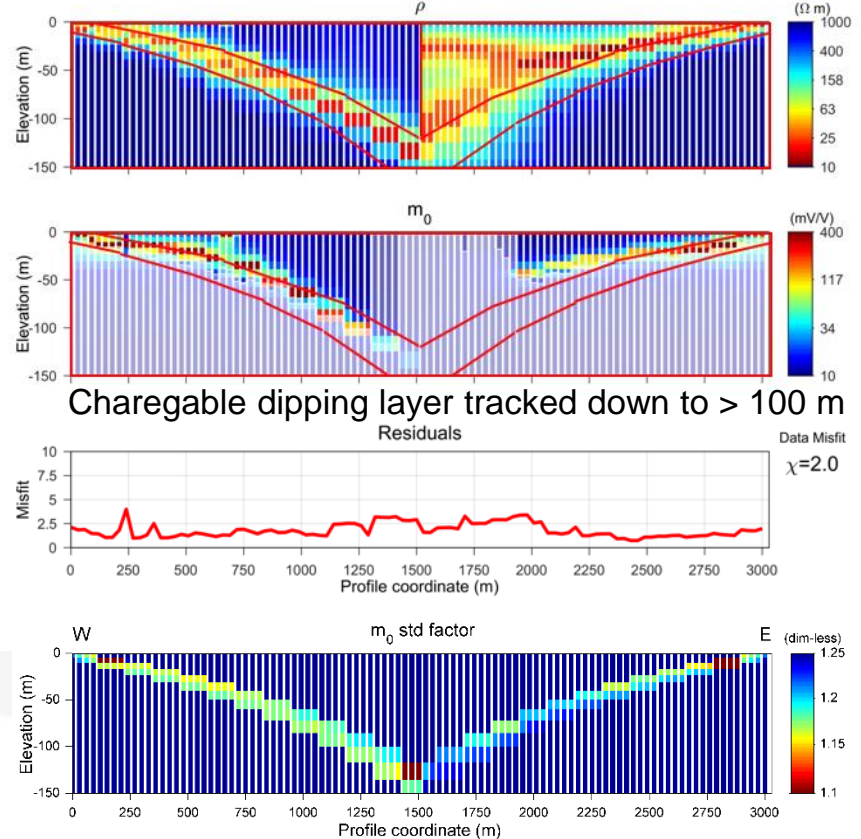


VTEM fwd deep5 frw 1D IP



True model

FWD, noise added, inverted **modelling** IP (no apriori)

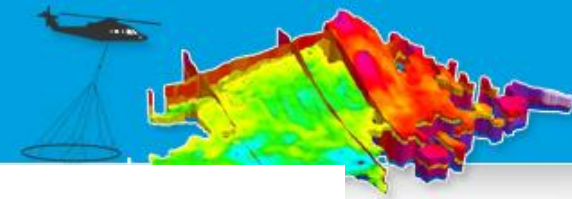


Chargeable dipping layer tracked down to > 100 m

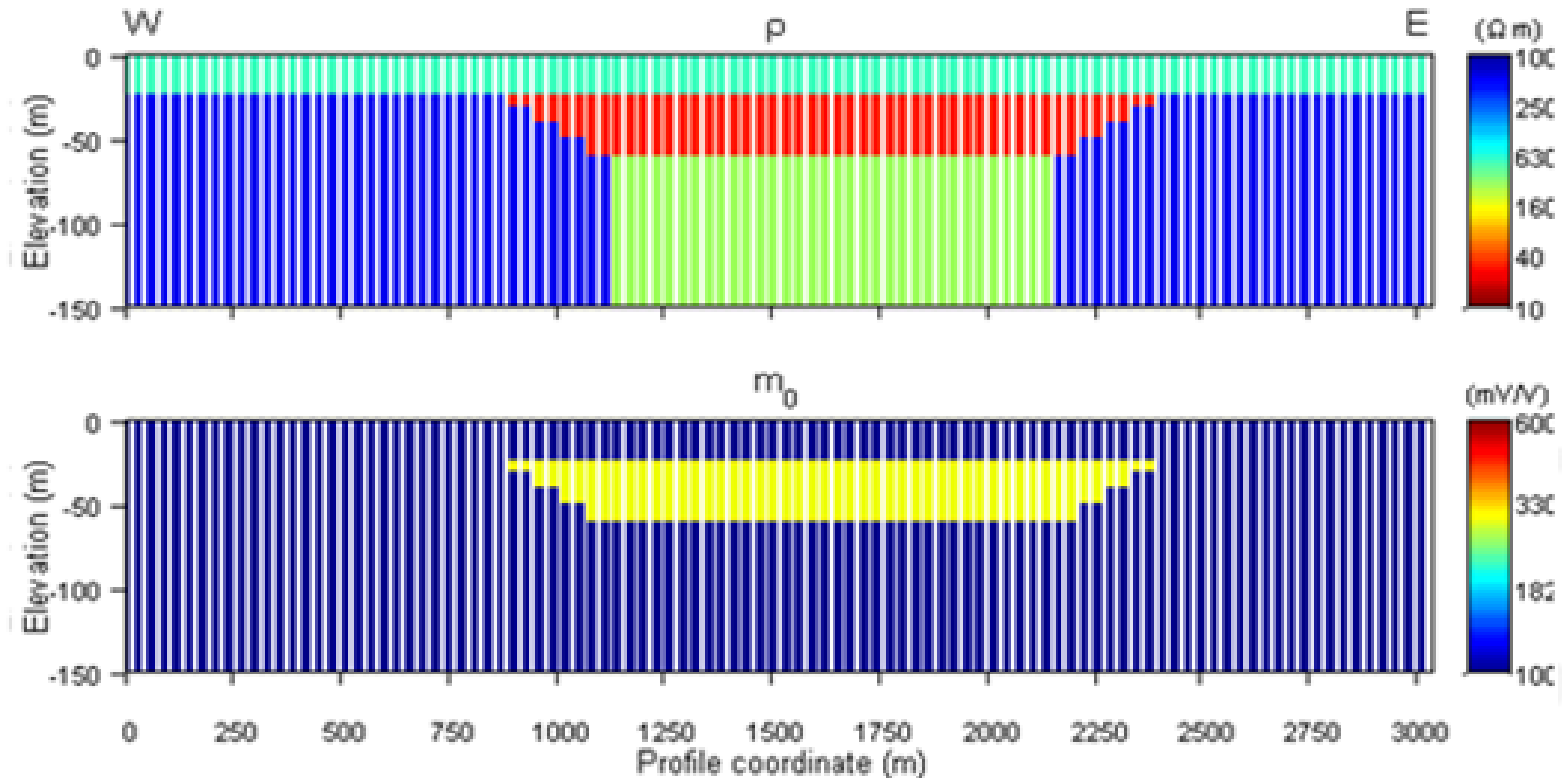
Recovered model



Kimberlite exploration: syhtetic data



True model



Overburden: $\rho = 500 \text{ Ohm m}$; $m_0 = 10 \text{ mV/V}$
 $\text{Tau} = 0.001$; $C = 1.0$

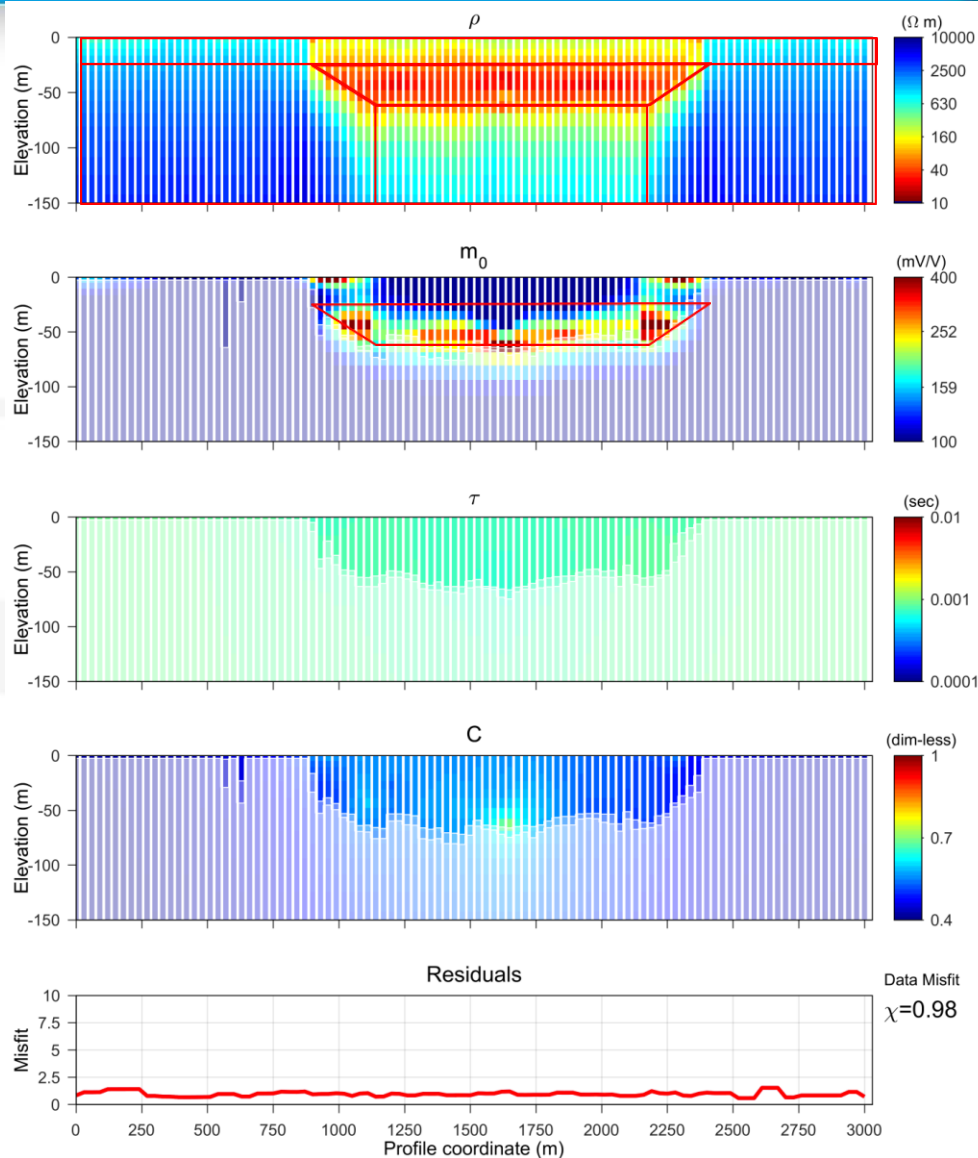
Crater: $\rho = 30 \text{ Ohm m}$; $m_0 = 300 \text{ mV/V}$; $\text{Tau} = 0.001$; $C = 0.5$

Diatreme: $\rho = 250 \text{ Ohm m}$

Host rock: $\rho = 5000 \text{ Ohm m}$



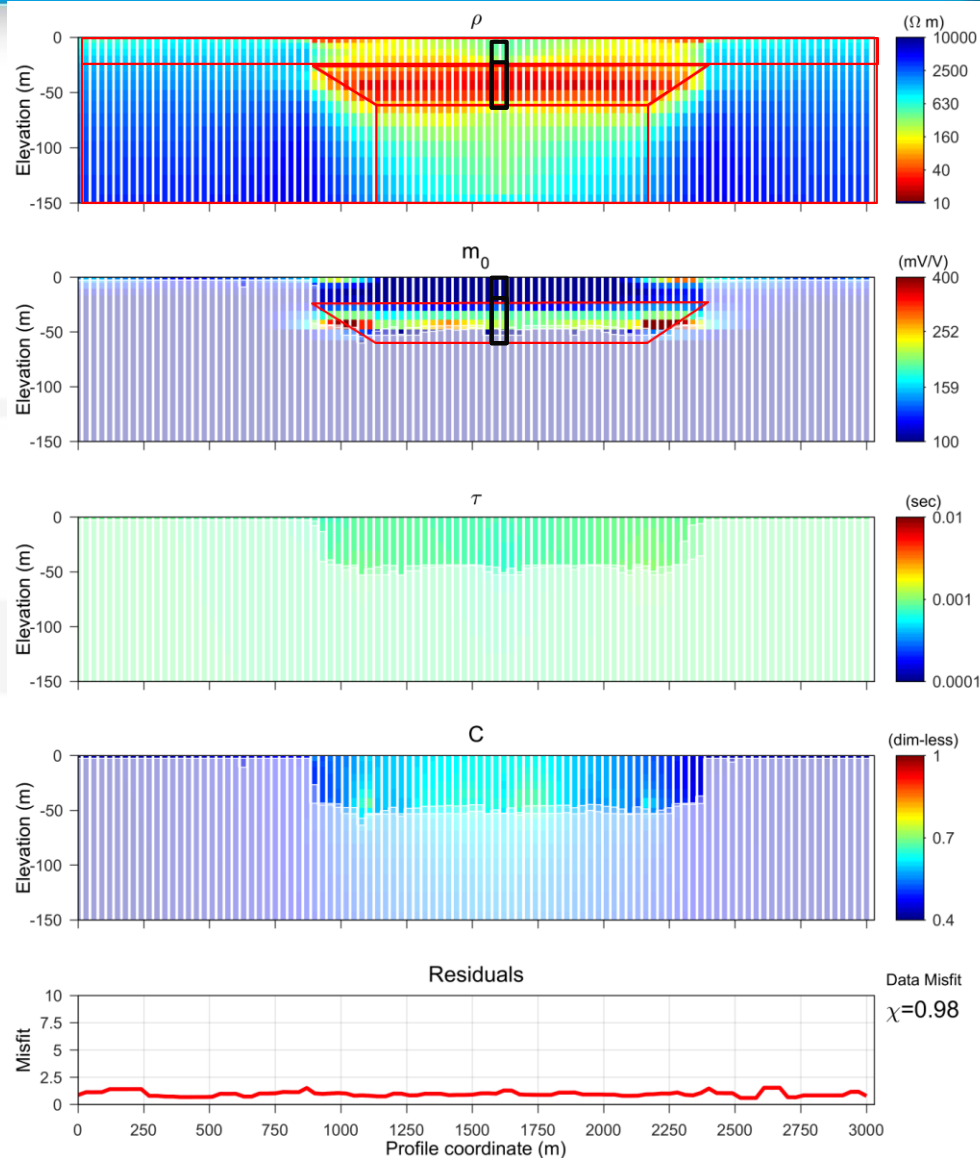
Inversion results (no a-priori, loose constraints)



Geometry of the kimberlite fairly resolved. Some artefacts



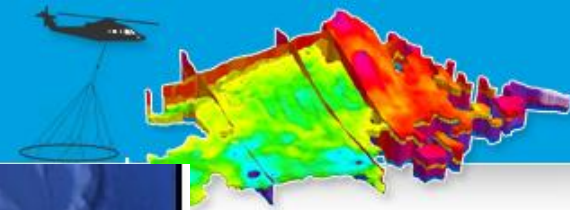
Inversion results (A-priori, tighter constraints)



Geometry of the kimberlite resolved better. Artefacts decreases

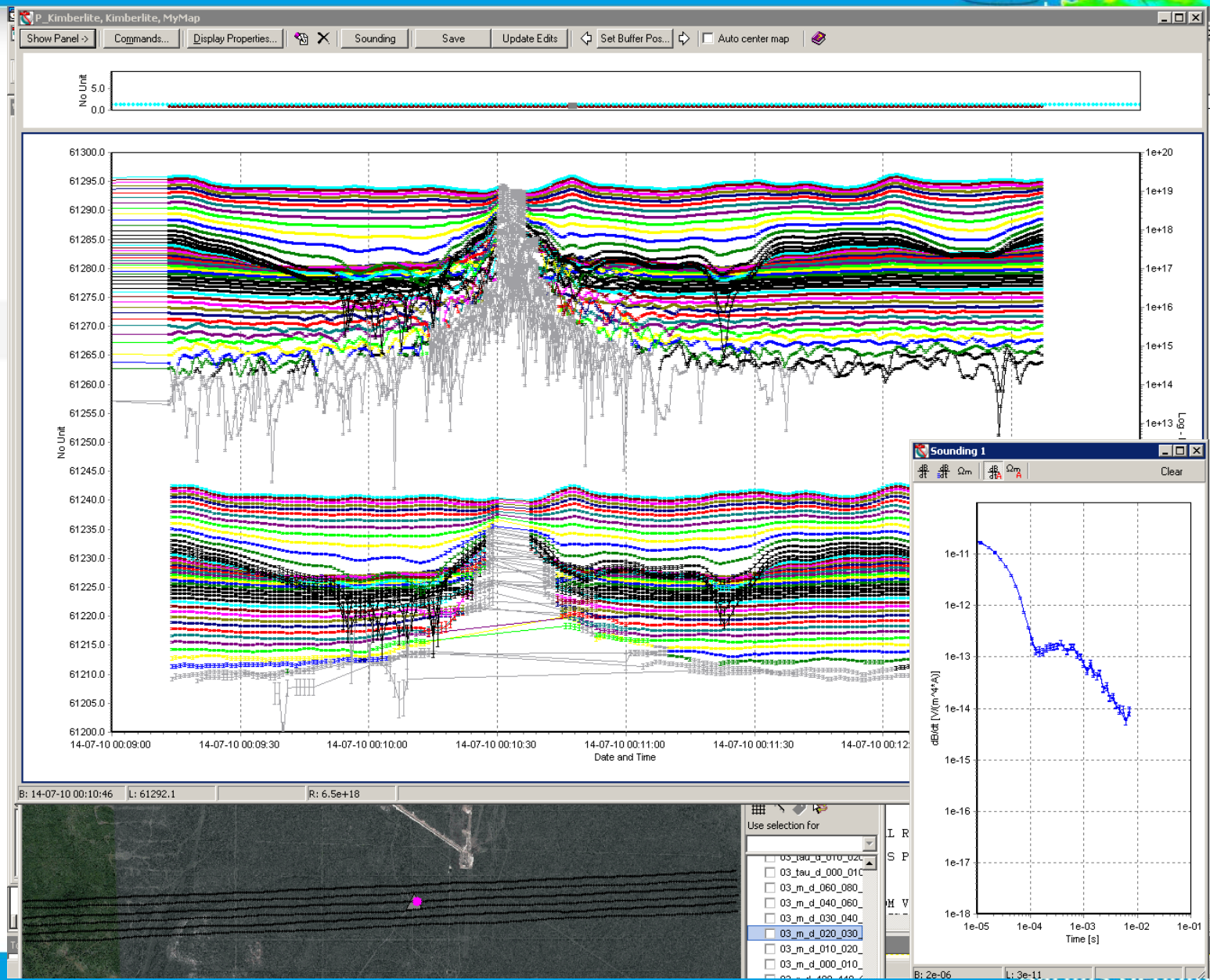
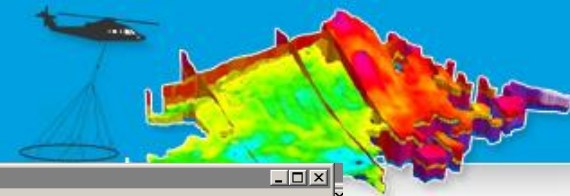


Kimberlite exploration: case study 1, Amakinskaya pipe (VTEM)

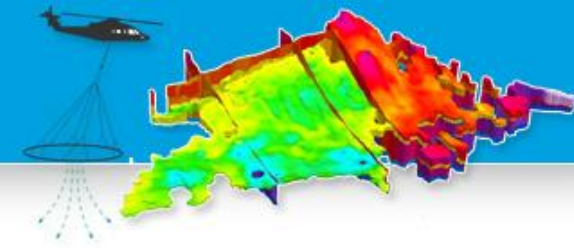


Amakinskaya Kimberlite pipe results: From the geological standpoint, the area surrounding Amakinskaya kimberlite pipe belongs to a sedimentary basin with widespread outcrops of clays and aleurolites of Jurassic age (J_1 or), which unconformably overlay Cambrian limestone complex (C_3 hl). Triassic basalts (βT_1 kt) are also widespread in the area, especially to the north from the pipe. Amakinskaya Kimberlite pipe shows a great deal of anisotropy in the vertical direction, shifting from weathered, clayish upper facies, affected by permafrost to consolidated hard kimberlite below 30 m depth. This obviously has reflection in the physical properties of the kimberlite. Resistivity and chargeability changes with depth, showing lowering resistivity and increasing chargeability values in the upper facies of the kimberlite, while magnetic susceptibility increases with depth, as kimberlite consolidates (Bondarenko and Zinchuk, 2004).

The data



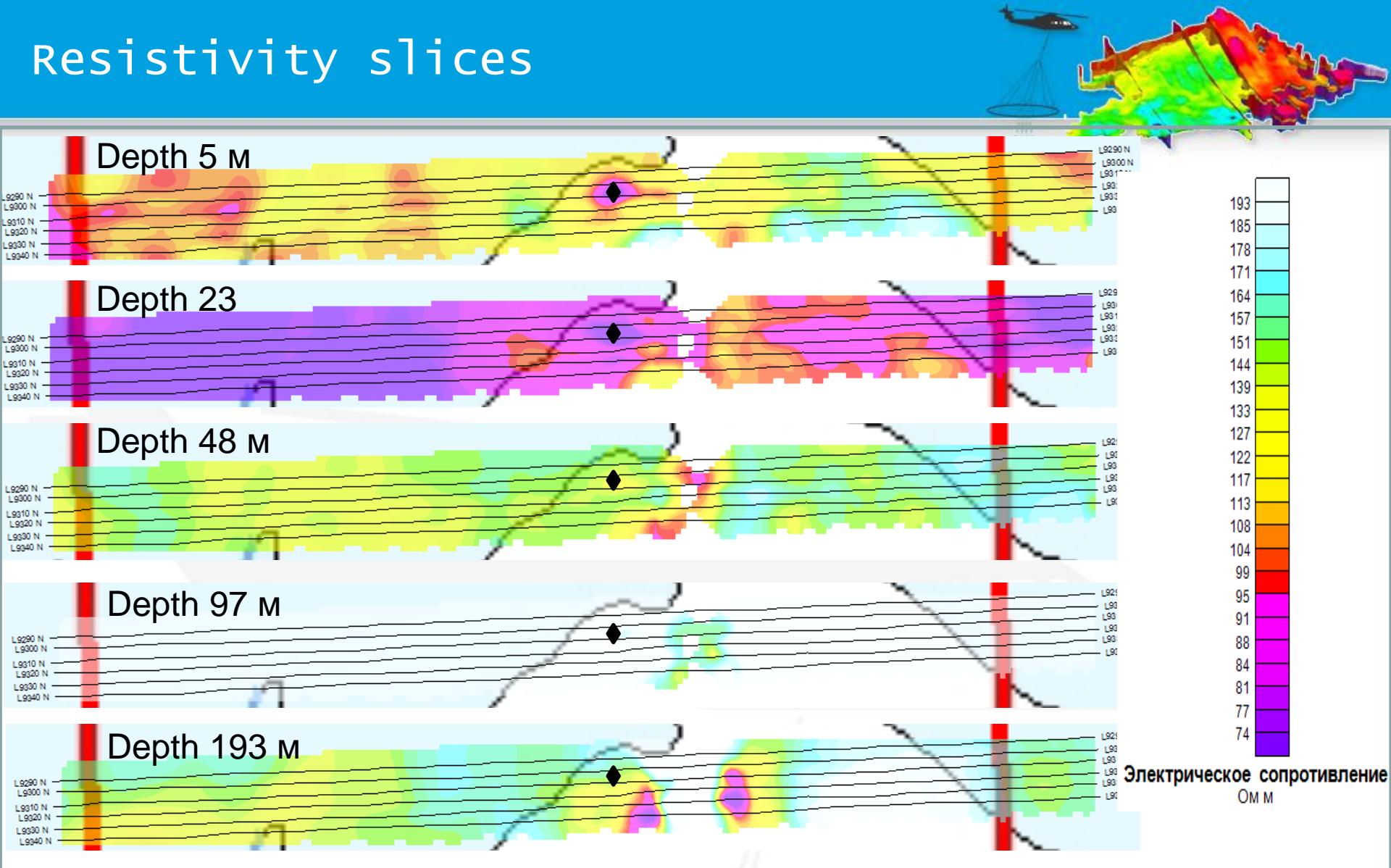
The workflow when working with actual AEM data



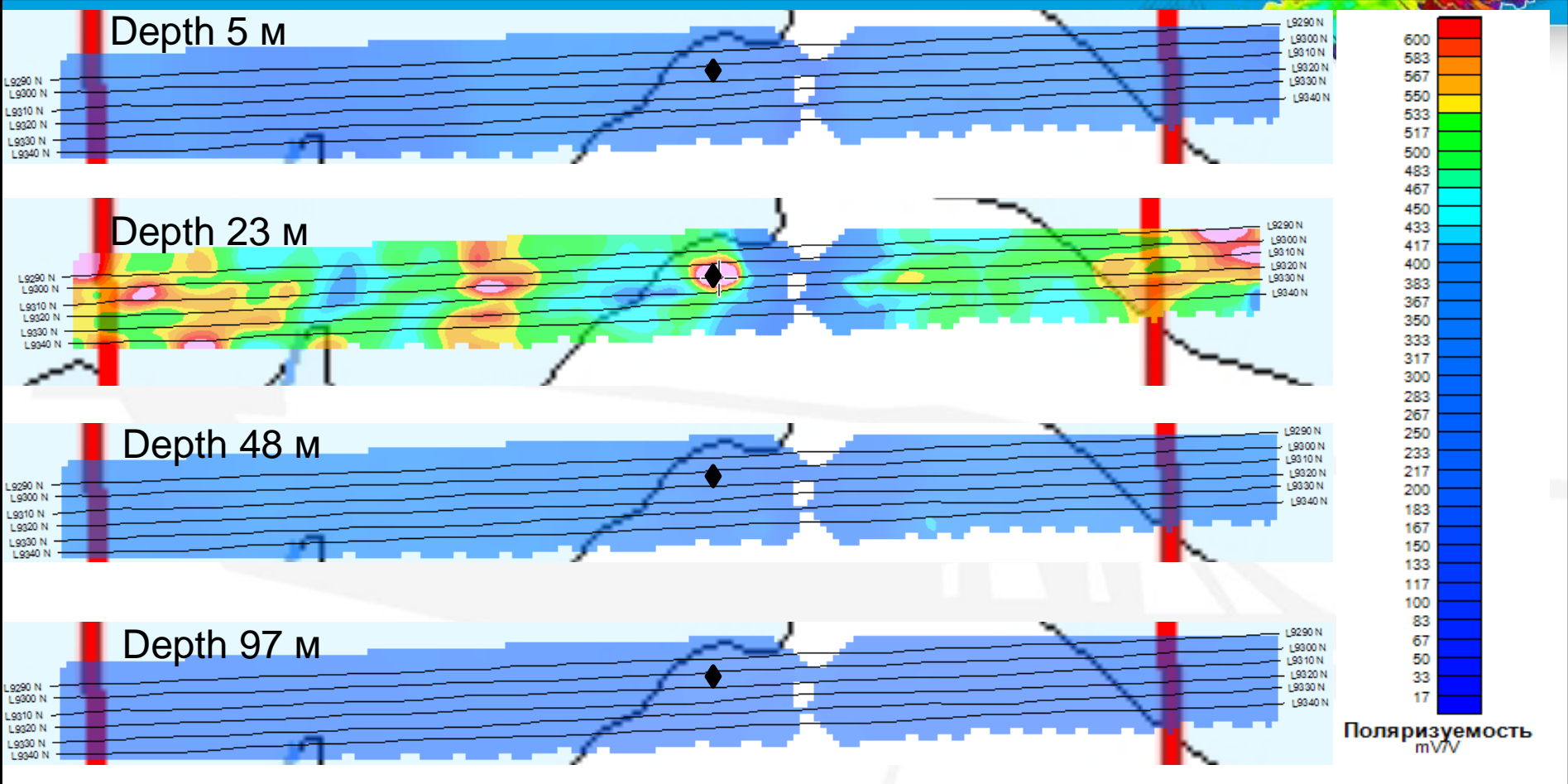
- Data processing
 - Recognize and maintain IP effects while increasing S/N and eliminating artefacts
- Inversion with IP modelling (AarhusInv)
 - Cole Cole modelling
 - No apriori
 - Solved for all parameters at once
 - Spatially Constrained Inversion (quasi 3D)
 - Many realizations, scanning the model and regularization space thoroughly
 - Tight spatial constraints on c and τ
- Careful assessment of results
 - General geological settings
 - Comparison with ancillary data



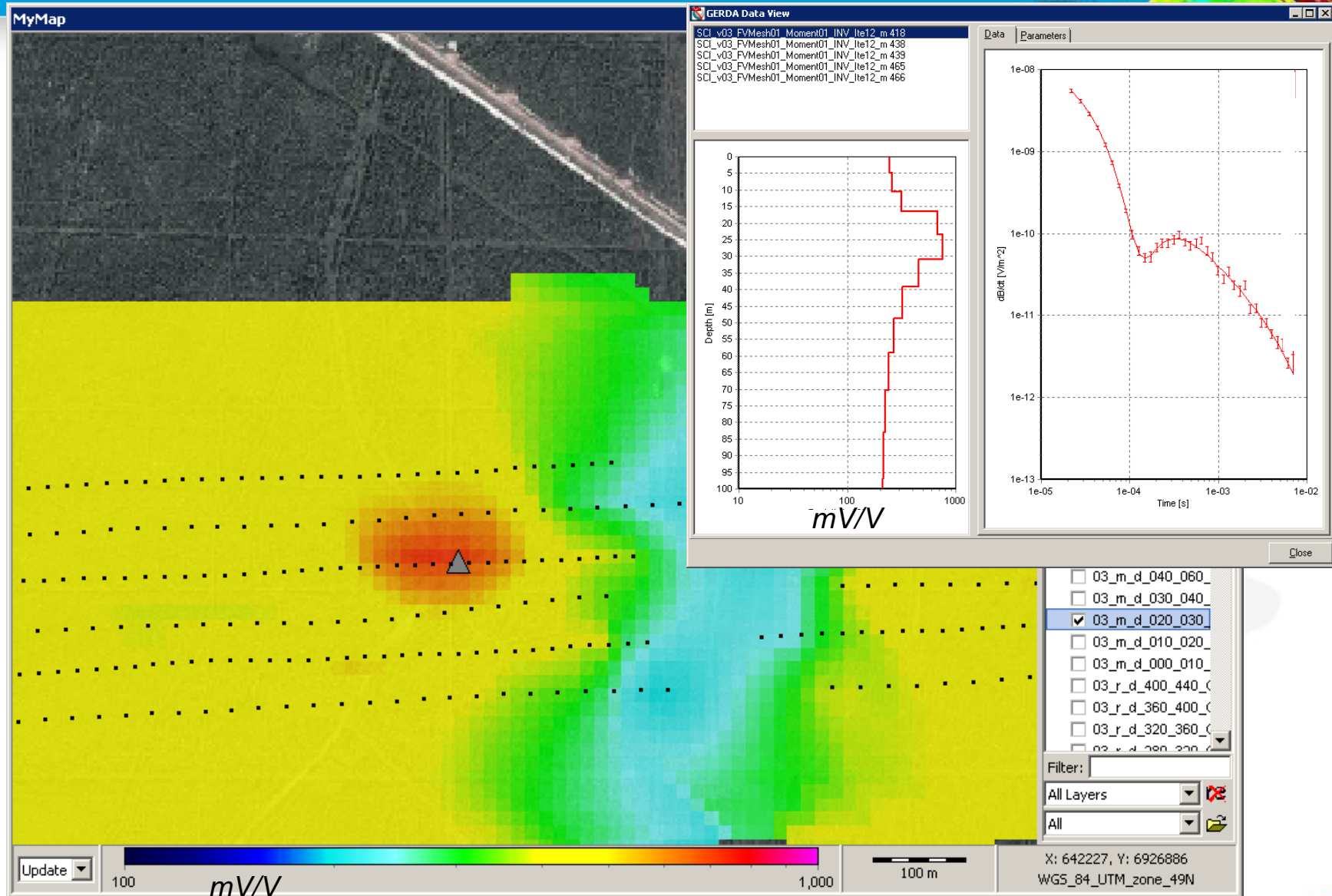
Resistivity slices



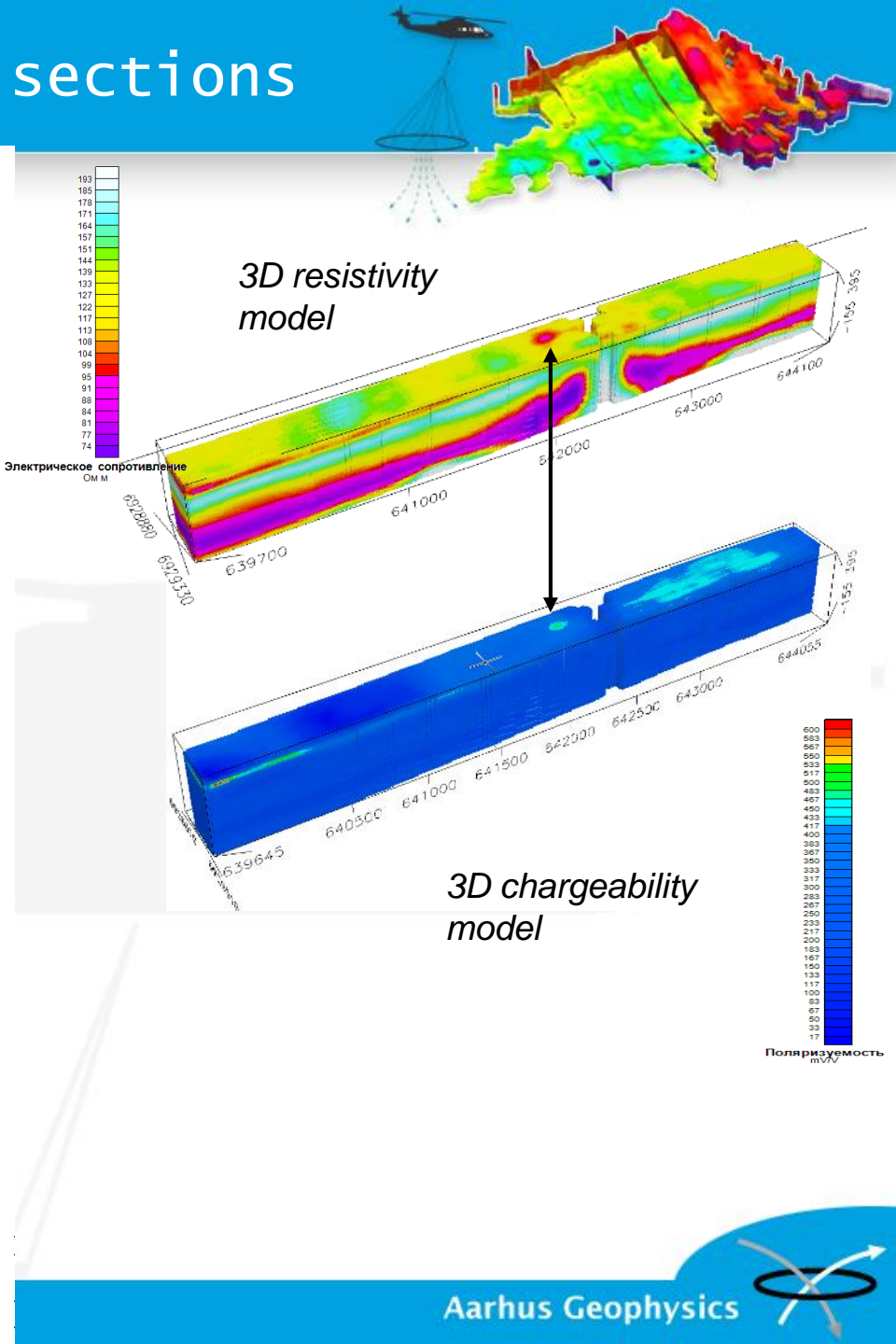
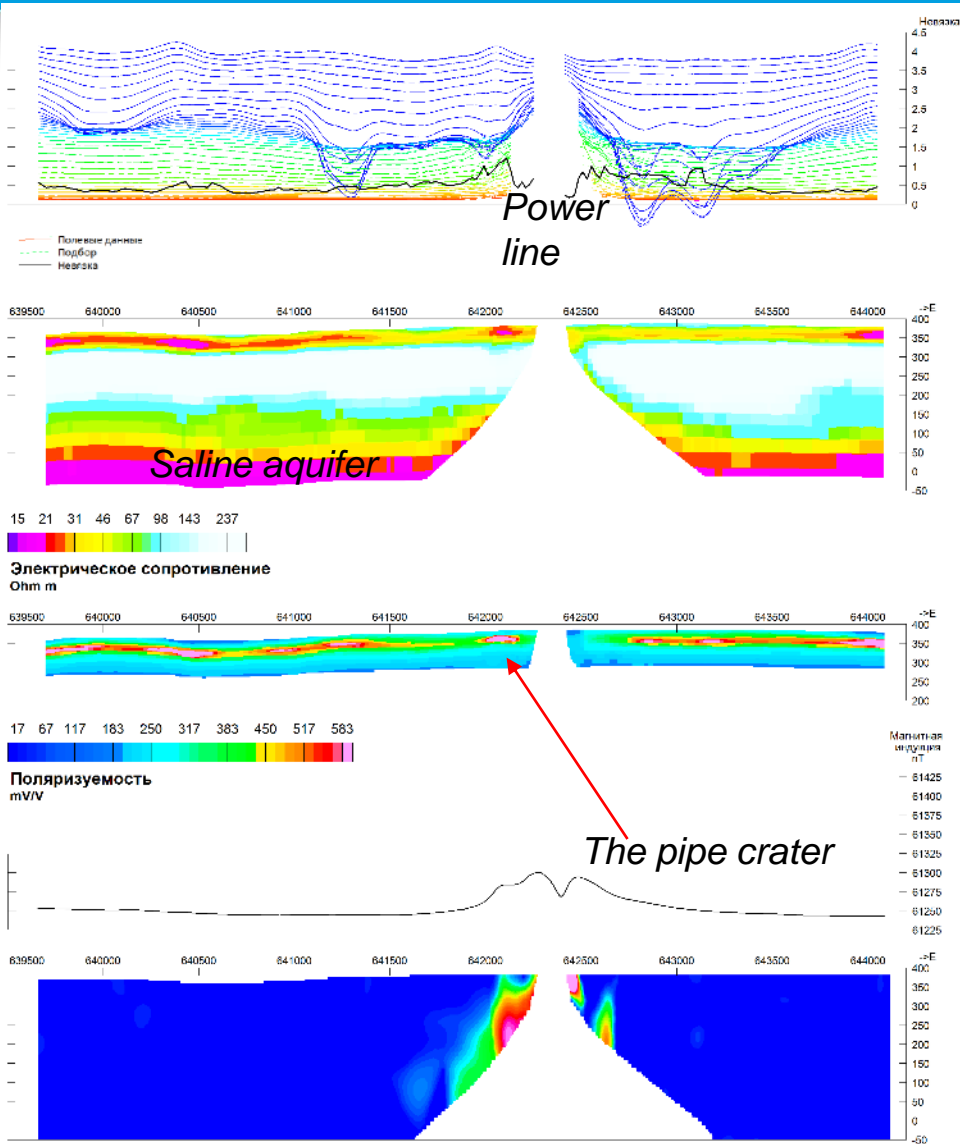
Chargeability slices



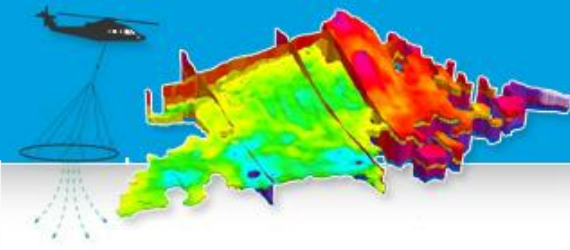
close up on the pipe



Res, m and mag vertical sections

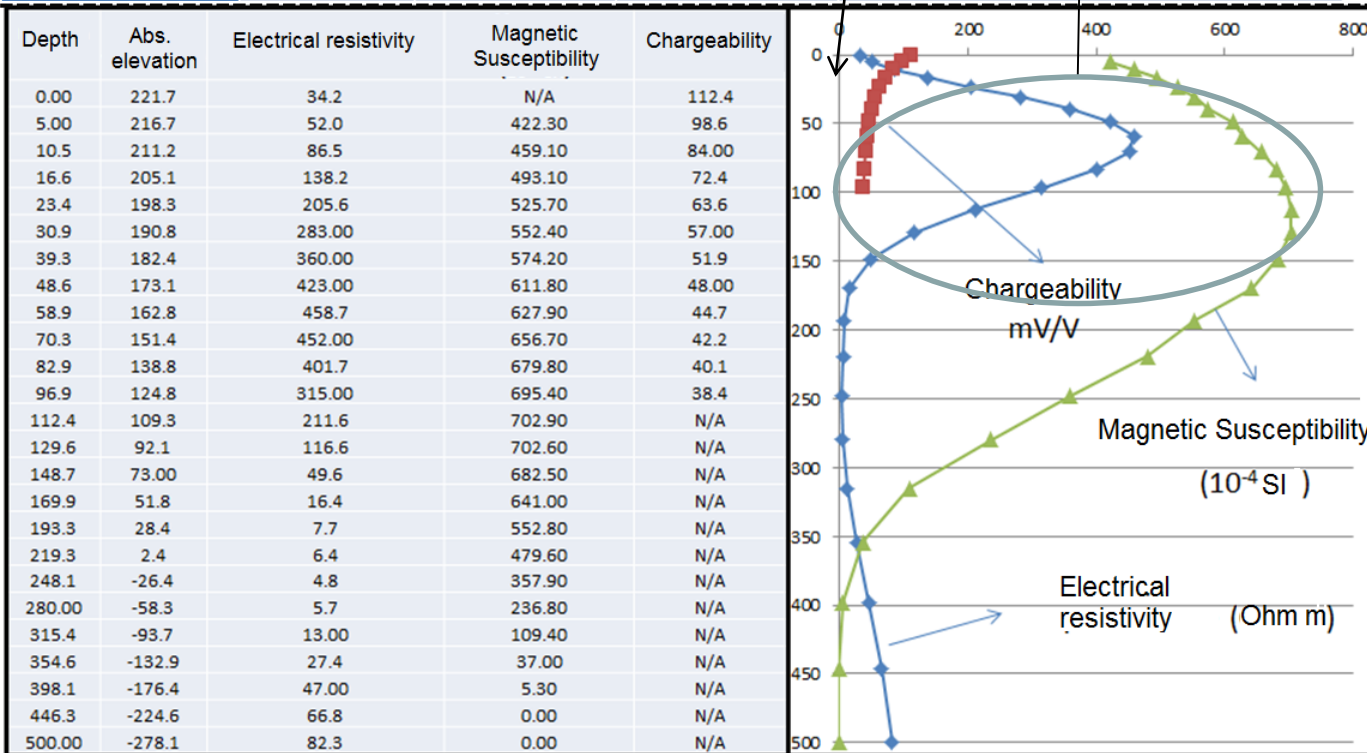


Comparing physical properties



Rock type	Formation	Electrical resistivity(ρ , Ohm m)	Magnetic susceptibility (10^{-5} SI)	Comments
Kimberlites	Amakinskaya pipe	30-60	100 - 900	Weathered, clayish
Kimberlites	Amakinskaya pipe	500 - 1000	100 - 900	Kimberlitic breccia
Kimberlites	Amakinskaya pipe	290 - 400	100 - 900	Carboniferous kimberlites
Clayish limestones	J ₁ uk	100 - 400	N/A	
Sandy silts	J ₁ uk	100 - 400	N/A	

Physical properties from ancillary data



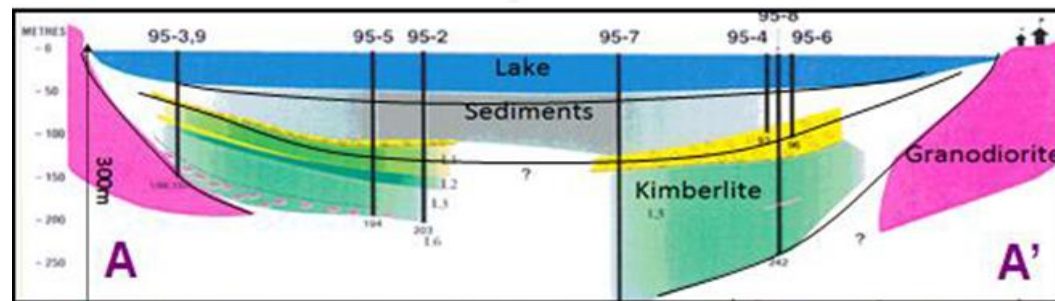
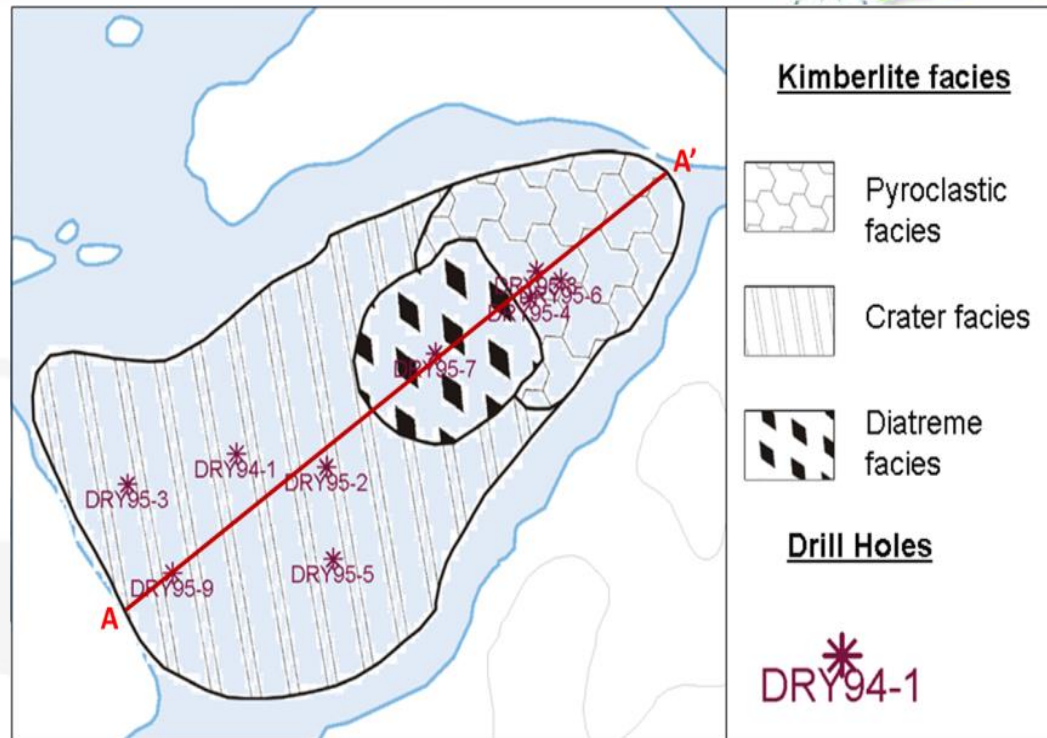
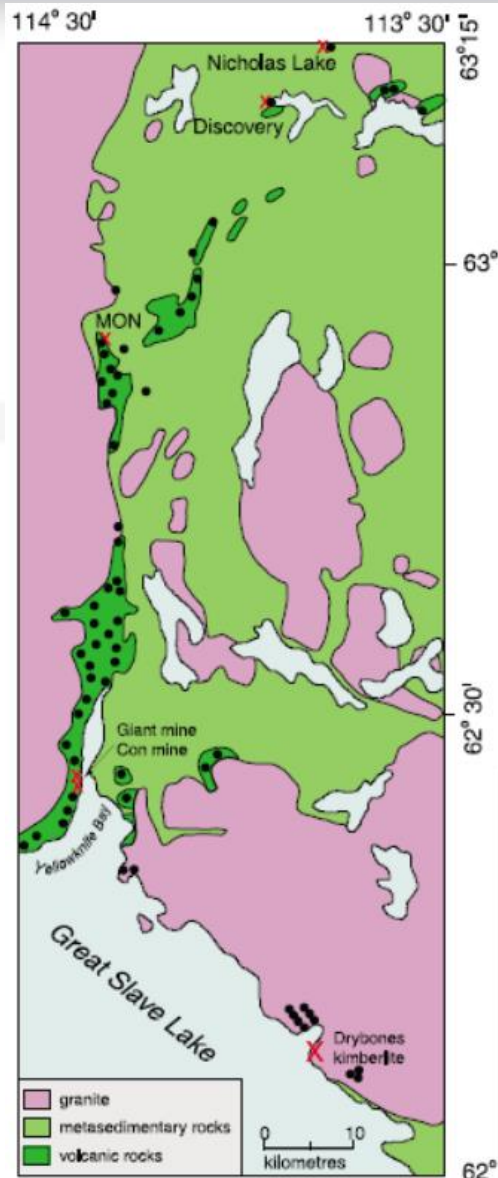
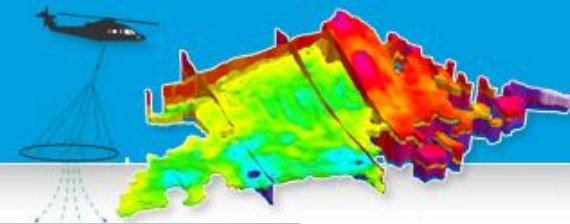
Physical properties from airborne geophysics



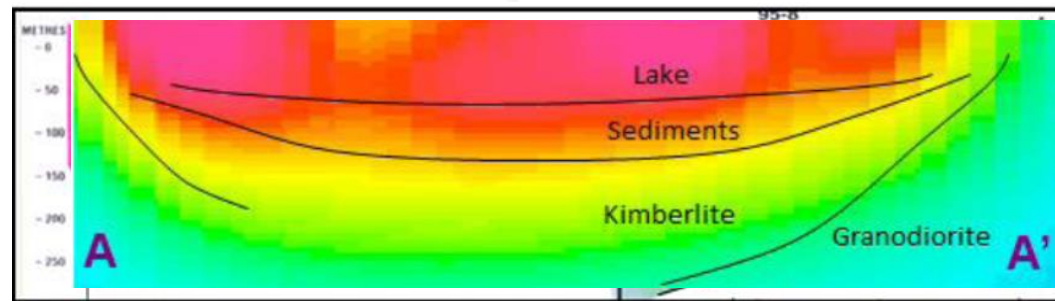
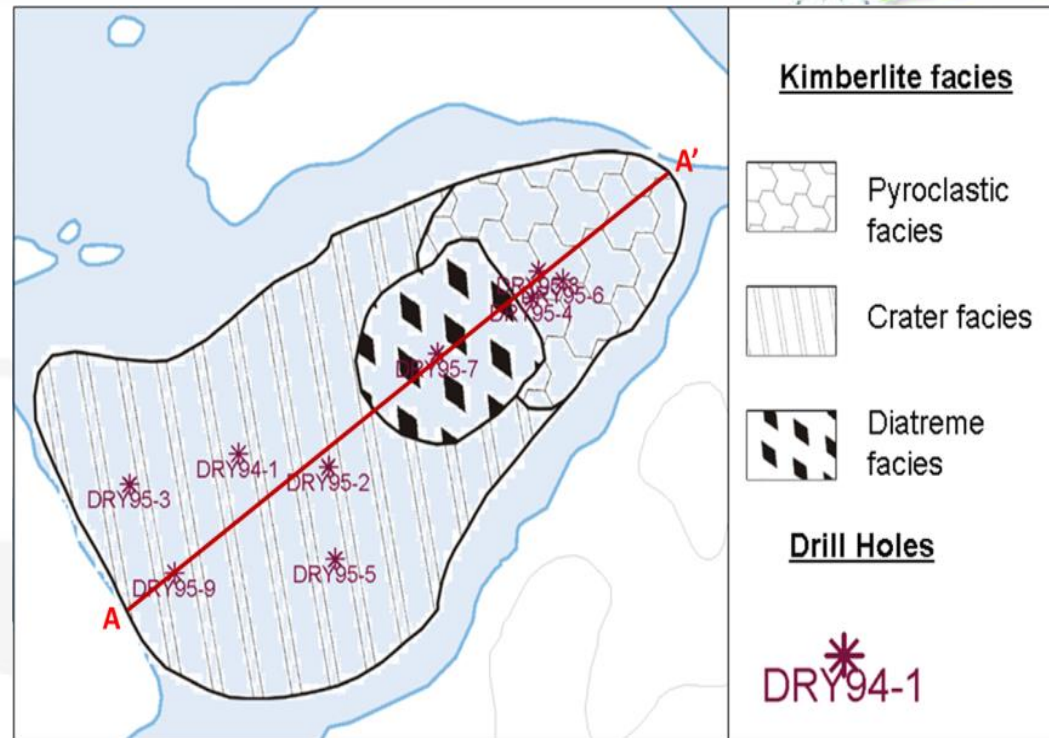
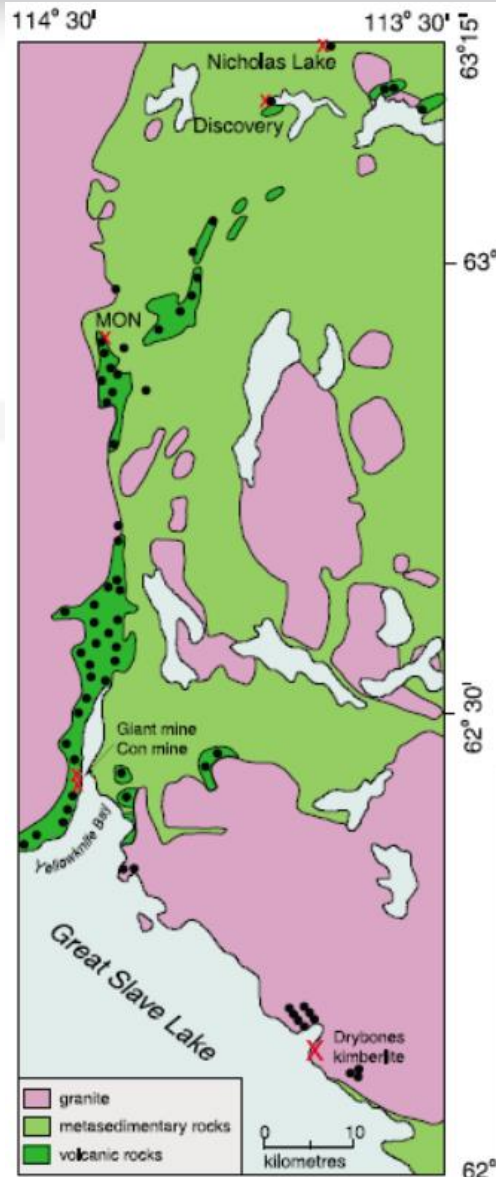
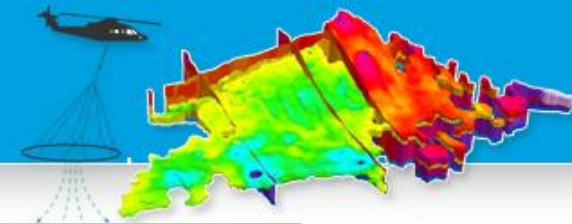
Kimberlite exploration: case study 2, Drybone pipe (VTEM)



Drybones kimberlite geology



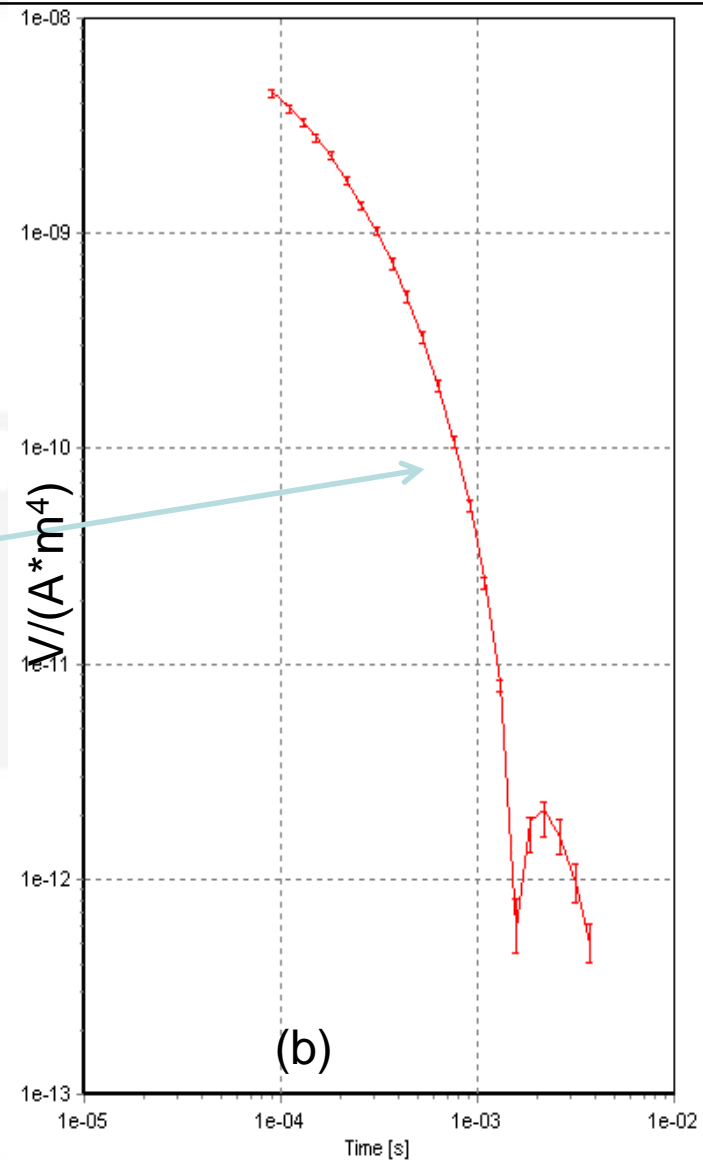
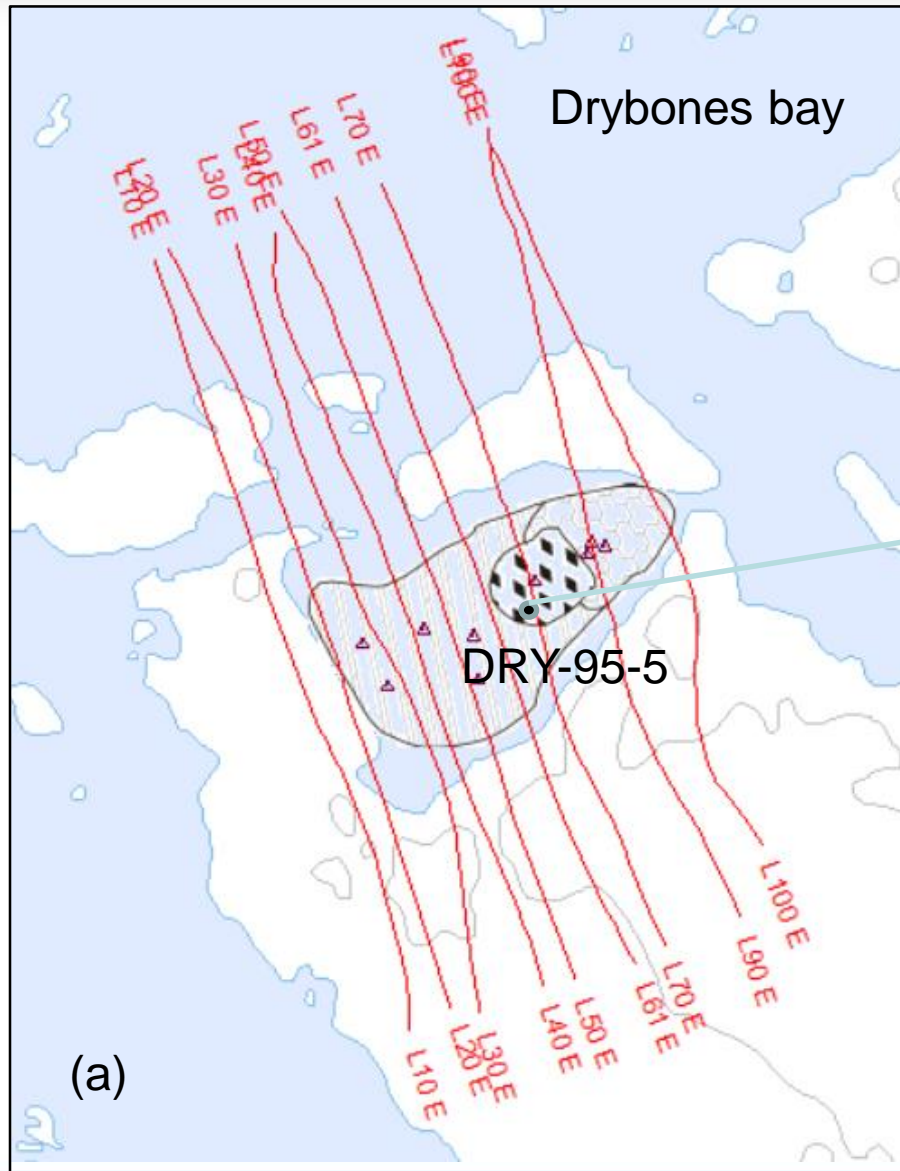
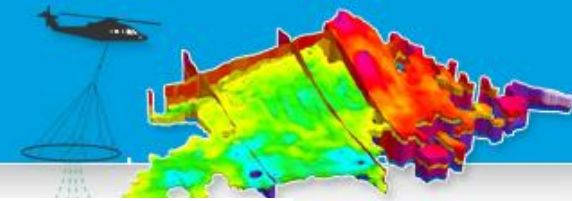
Drybones kimberlite geology



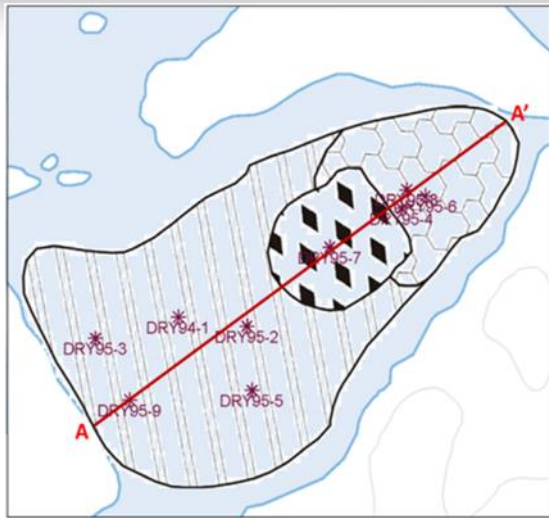
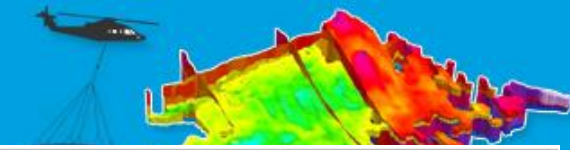
Inverted in 3D (Kaminsky et al., 2012), no IP modelling



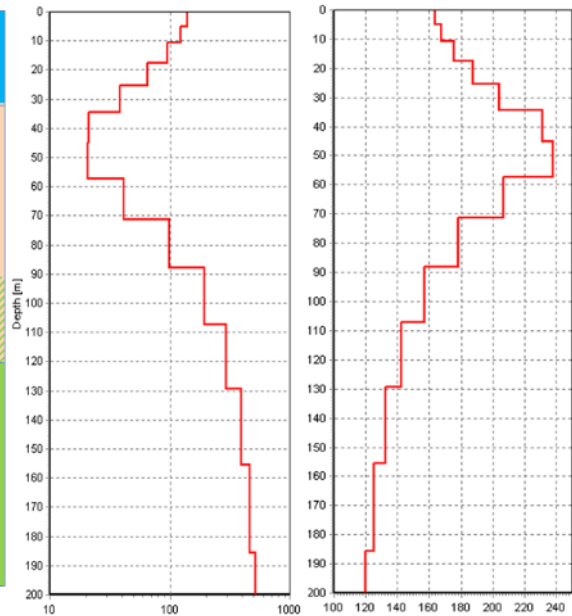
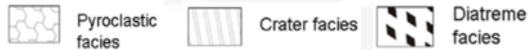
Drybones kimberlite IP effect



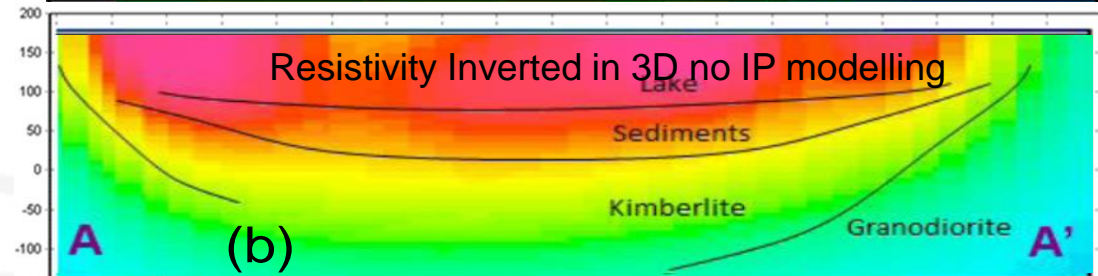
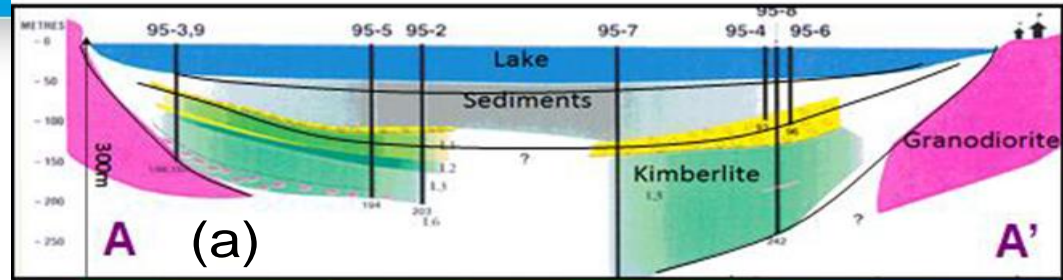
Drybones kimberlite comparison with previous inversions



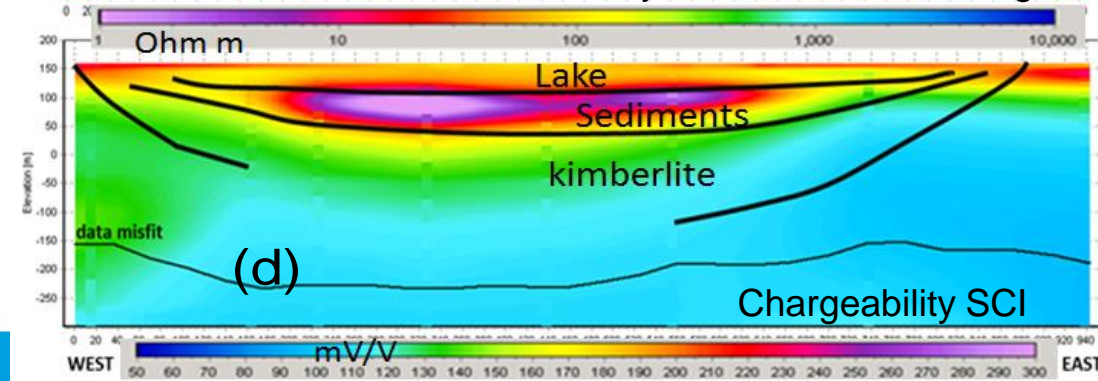
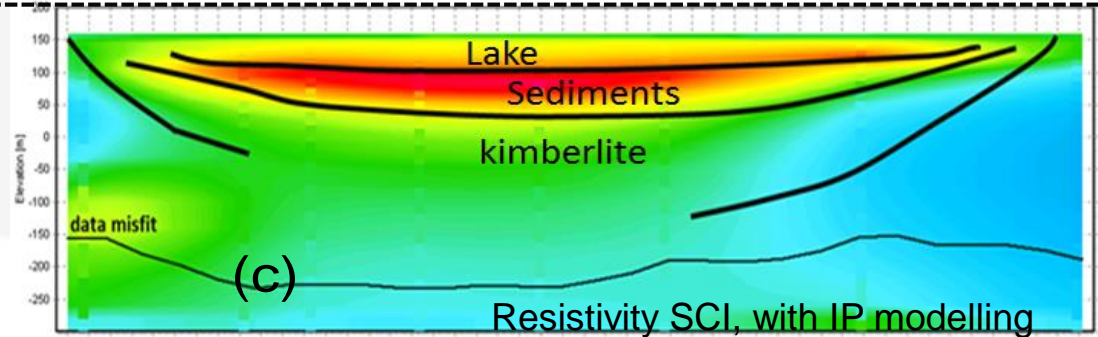
Kimberlite facies



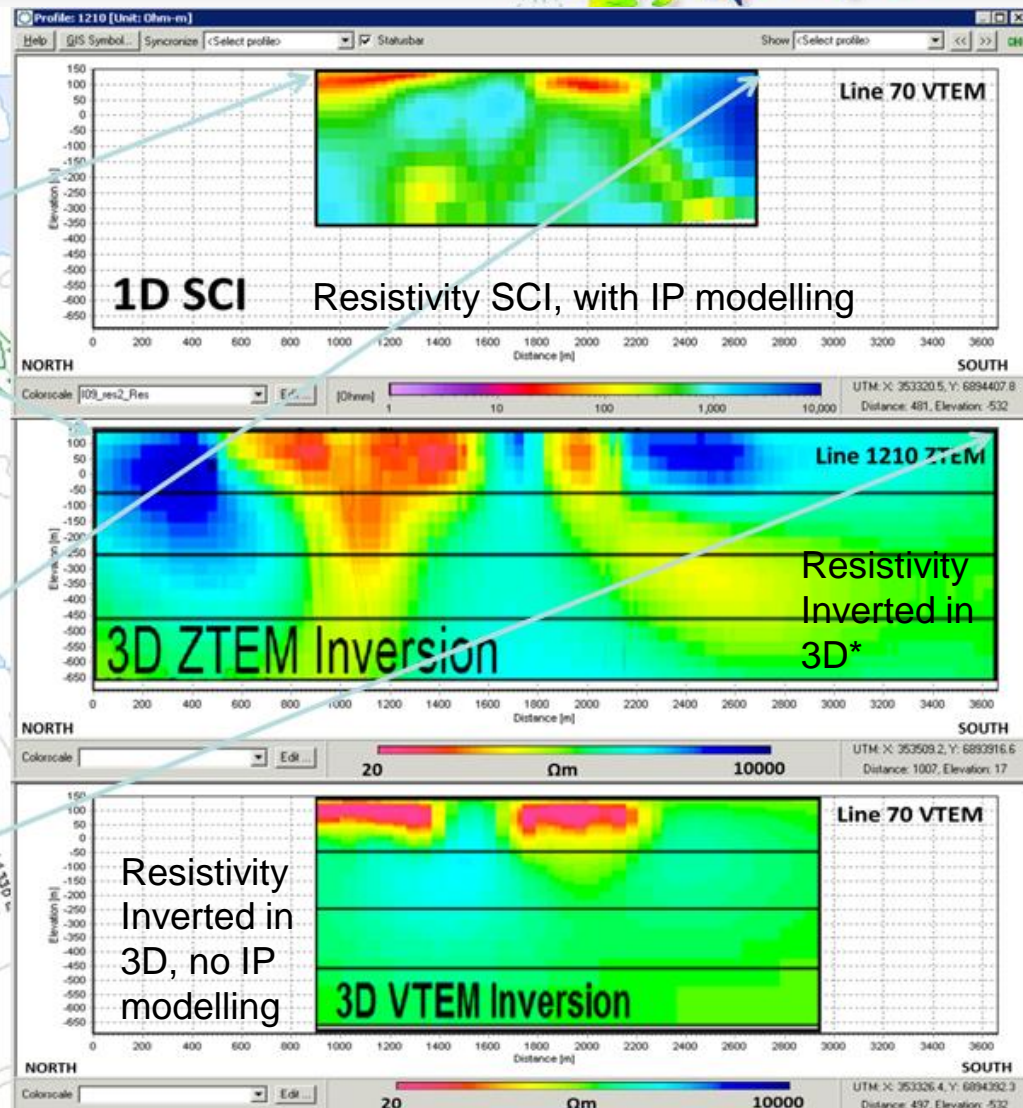
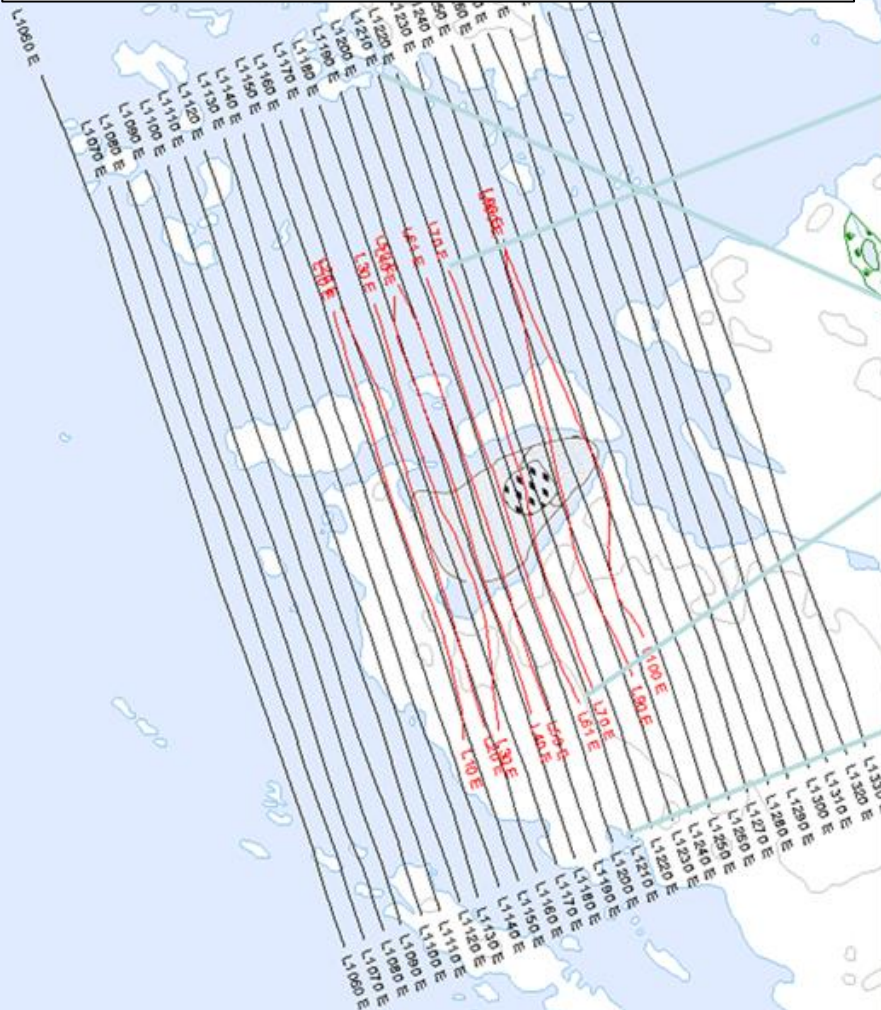
No IP modelling



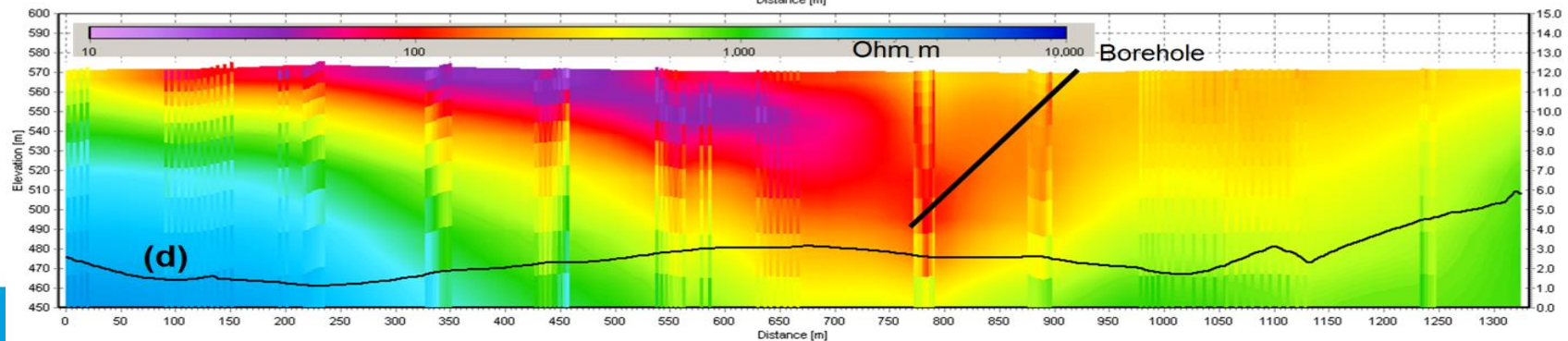
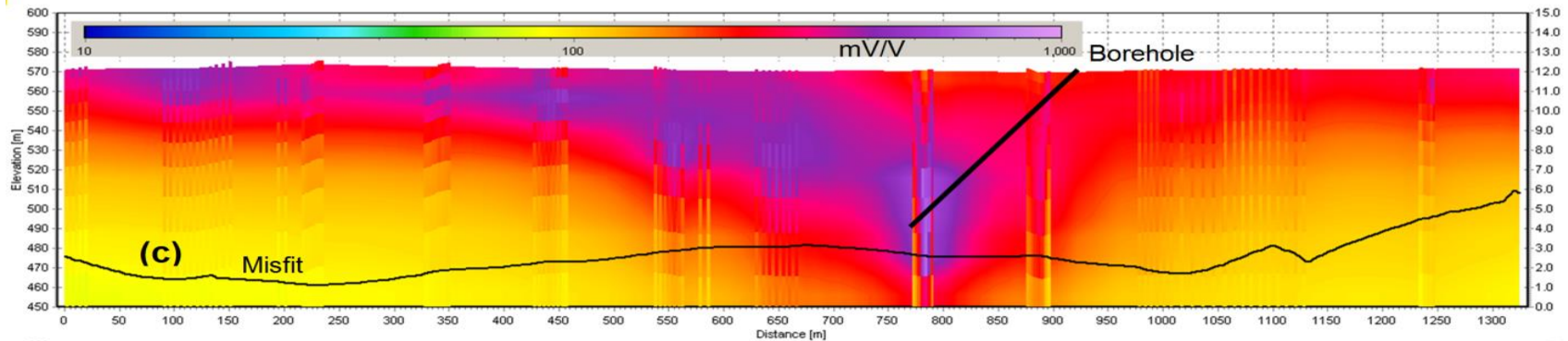
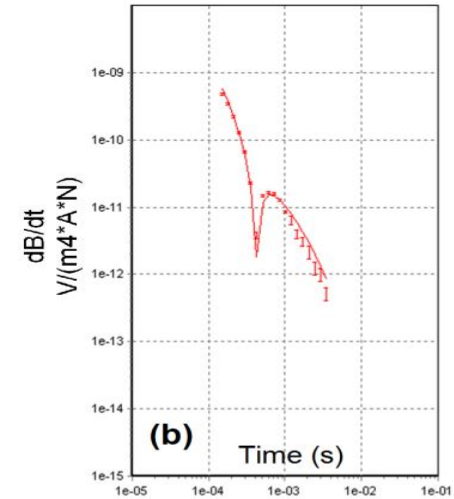
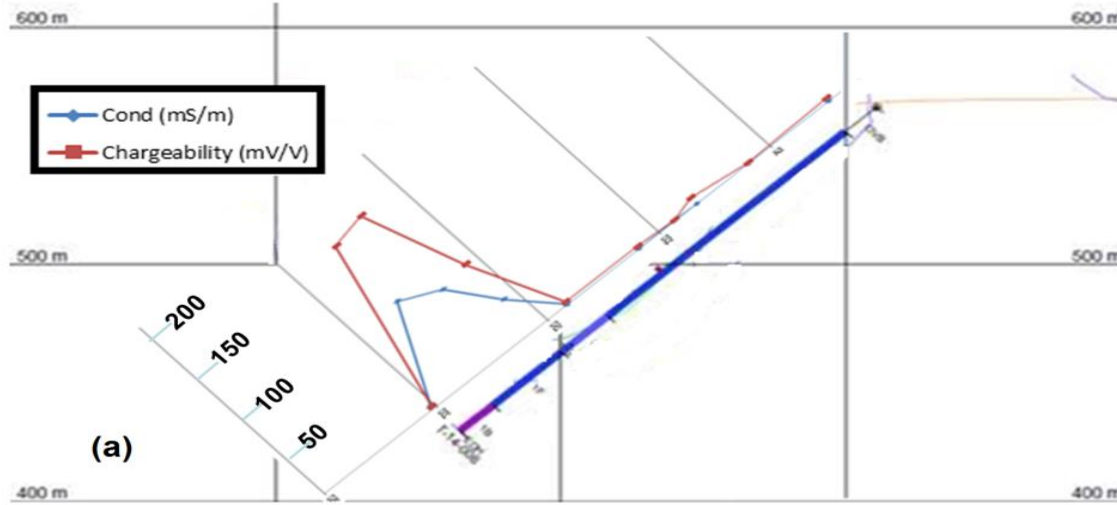
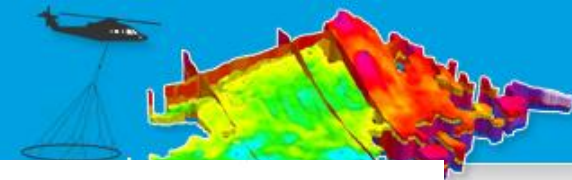
IP modelling



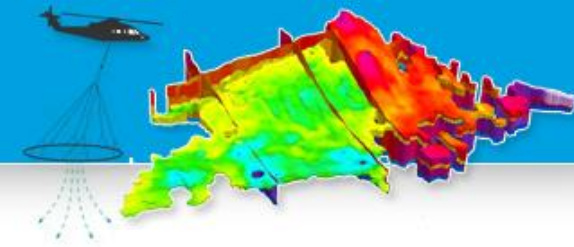
ZTEM is a passive AEM system, very different bandwidth



....base metal example....



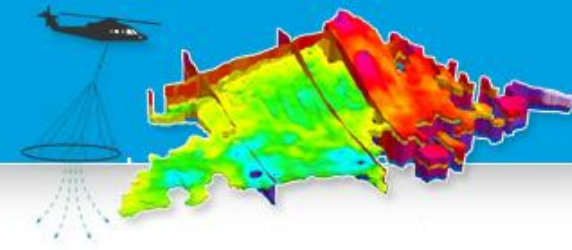
Conclusions



- IP effects can be visible and measurable in AEM data
 - Signature is varied, beyond simple sign change
- IP can be modelled from AEM data, both synthetic and real. It is possible to recover corrected resistivities and some IP parameters
 - Large degree of non uniqueness, which can be reduced by constraints and a-priori
 - Chargeability can be recovered down to some depth
- Data needs to be understood and properly (pre)processed before attempting recovering IP
- Taking wrong assumptions on parameters (e.g., locking them to a predefined value) can lead to wrong models



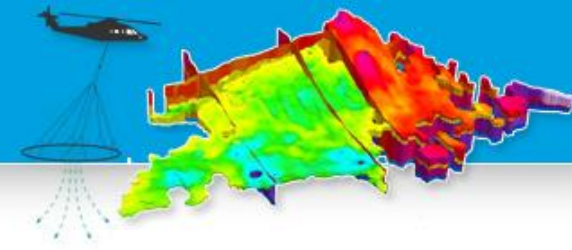
Conclusions (continued)



- More research should focus on, e.g.,
 - Exploring IP models (not Cole Cole) ?
 - Using B field data
 - Different inversion strategies
- Failure to model IP in IP affected AEM datasets produces:
 - Erroneous resistivity sections
 - Loss of extra information about the subsurface that might be relevant for mineral exploration and other applications



Conclusions (continued)

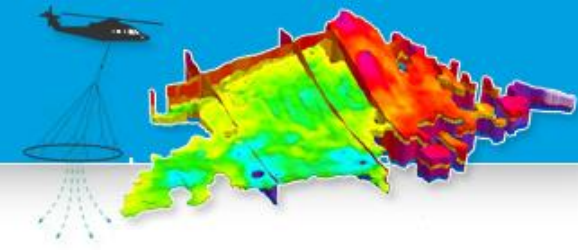


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How much existing AEM data out there contains IP effects never looked at properly ?

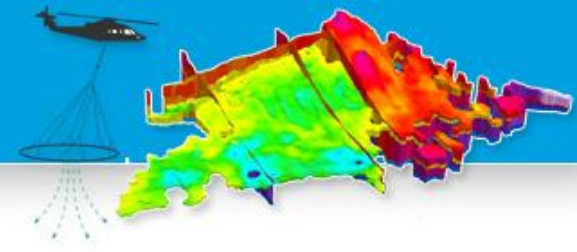


Acknowledgments

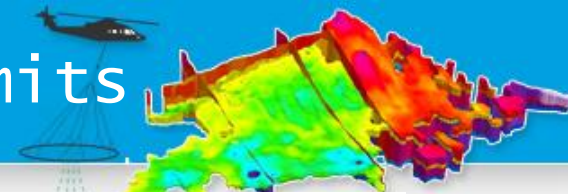


- Geotech, Ltd
- Alrosa

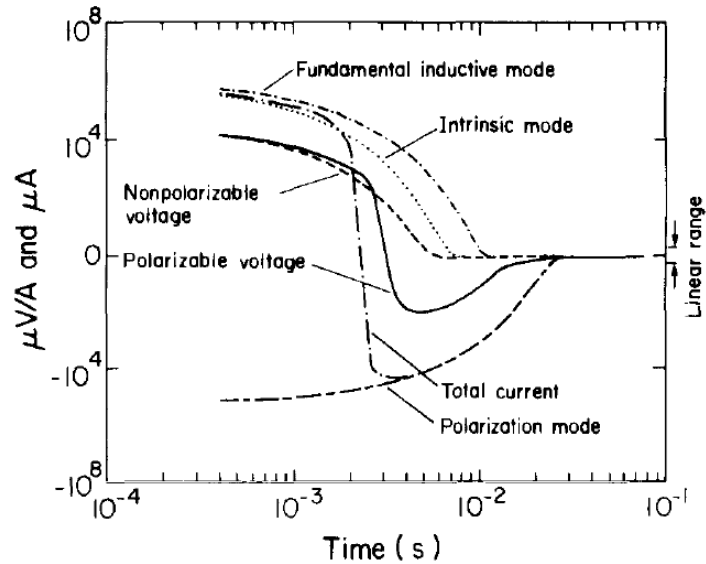




IP effect in TEM data: ∞ freq. limits



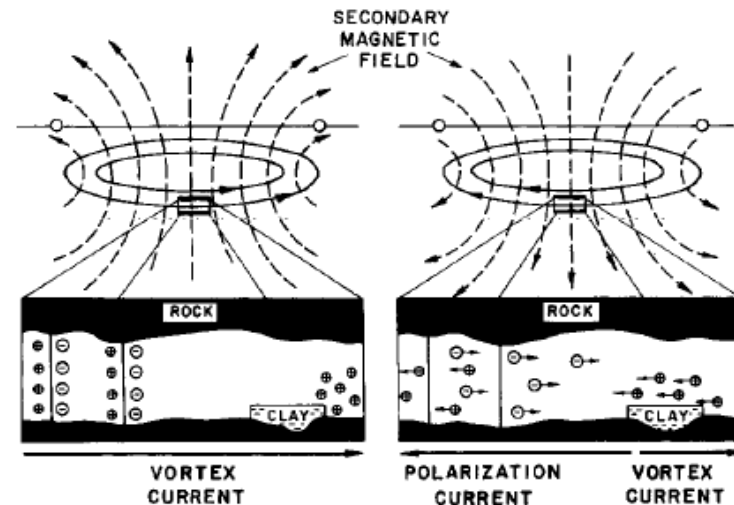
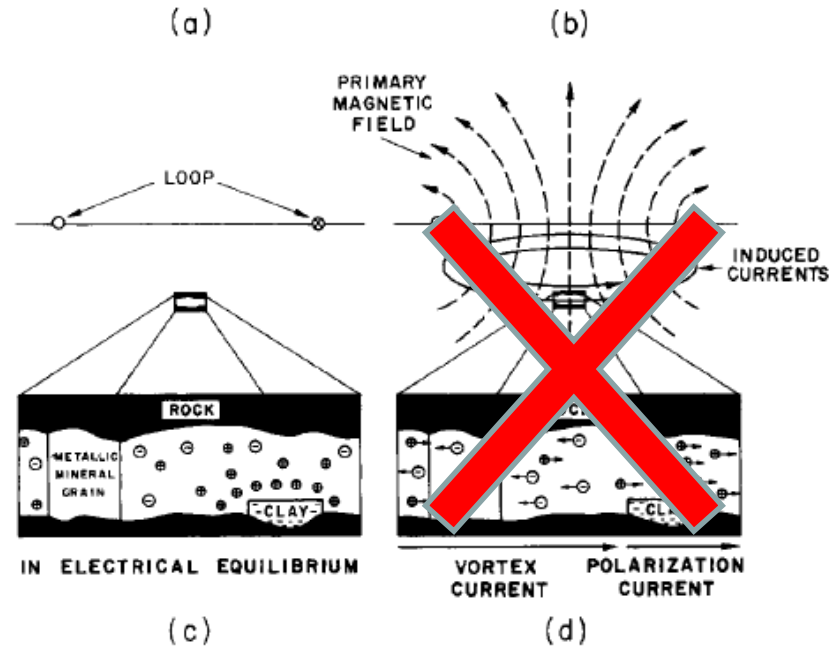
After Smith et al (1989)



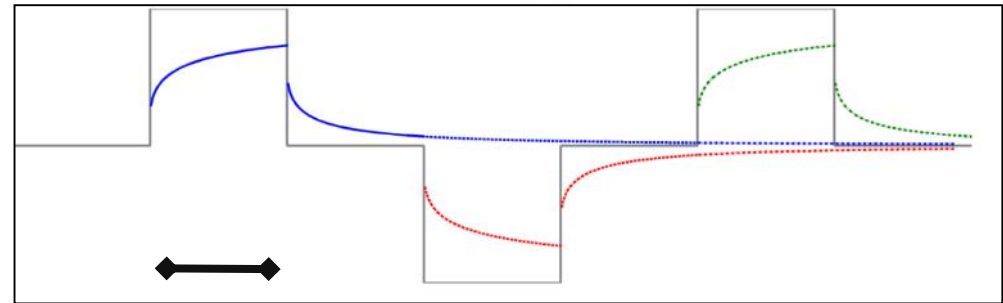
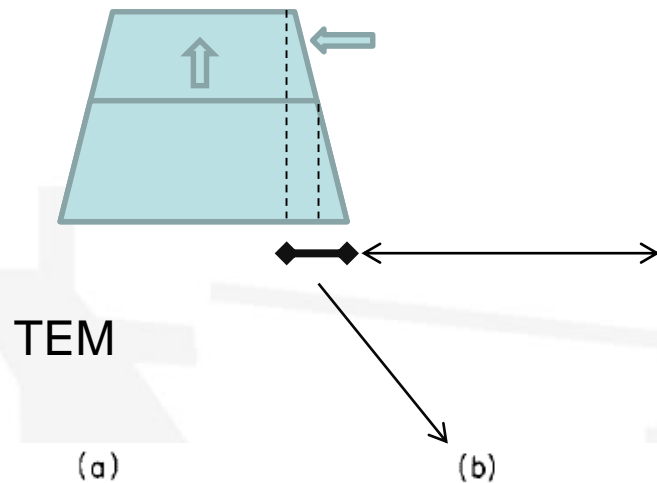
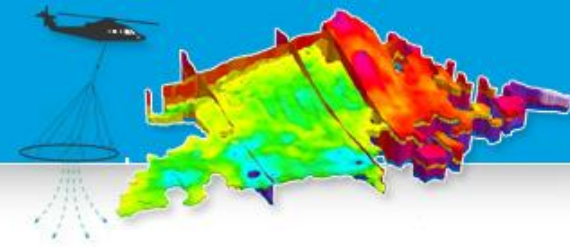
$$\sigma(s) = \sigma_{\infty} + \Delta_{\infty} \hat{\sigma}(s),$$

$$\Delta_{\infty} \hat{\sigma}(s) = \frac{-\sigma_{\infty} m}{1 + (1 - m)(s\tau)^c},$$

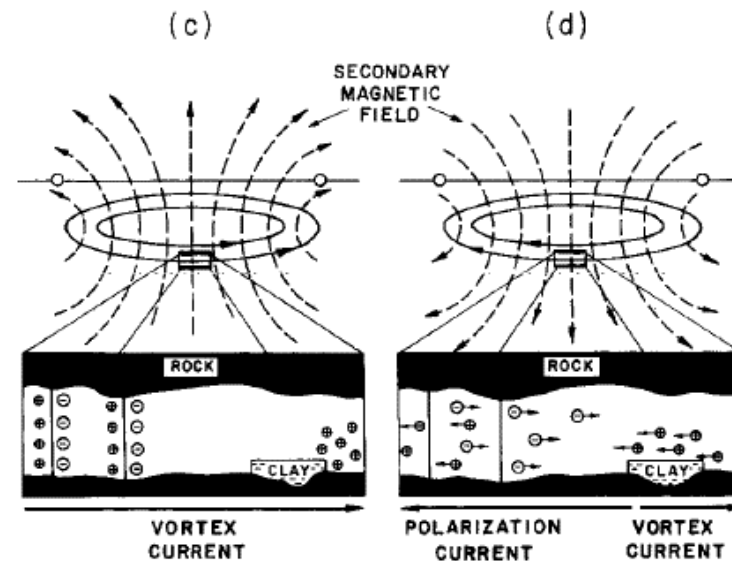
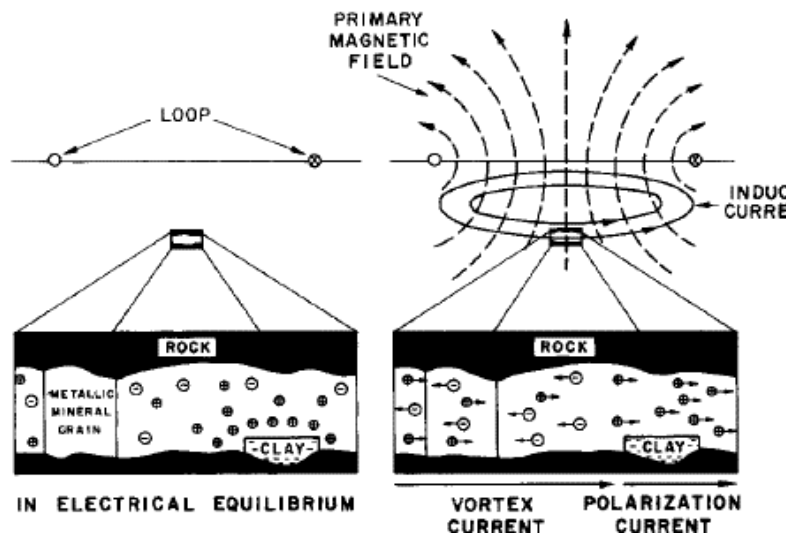
$$s = i\omega$$



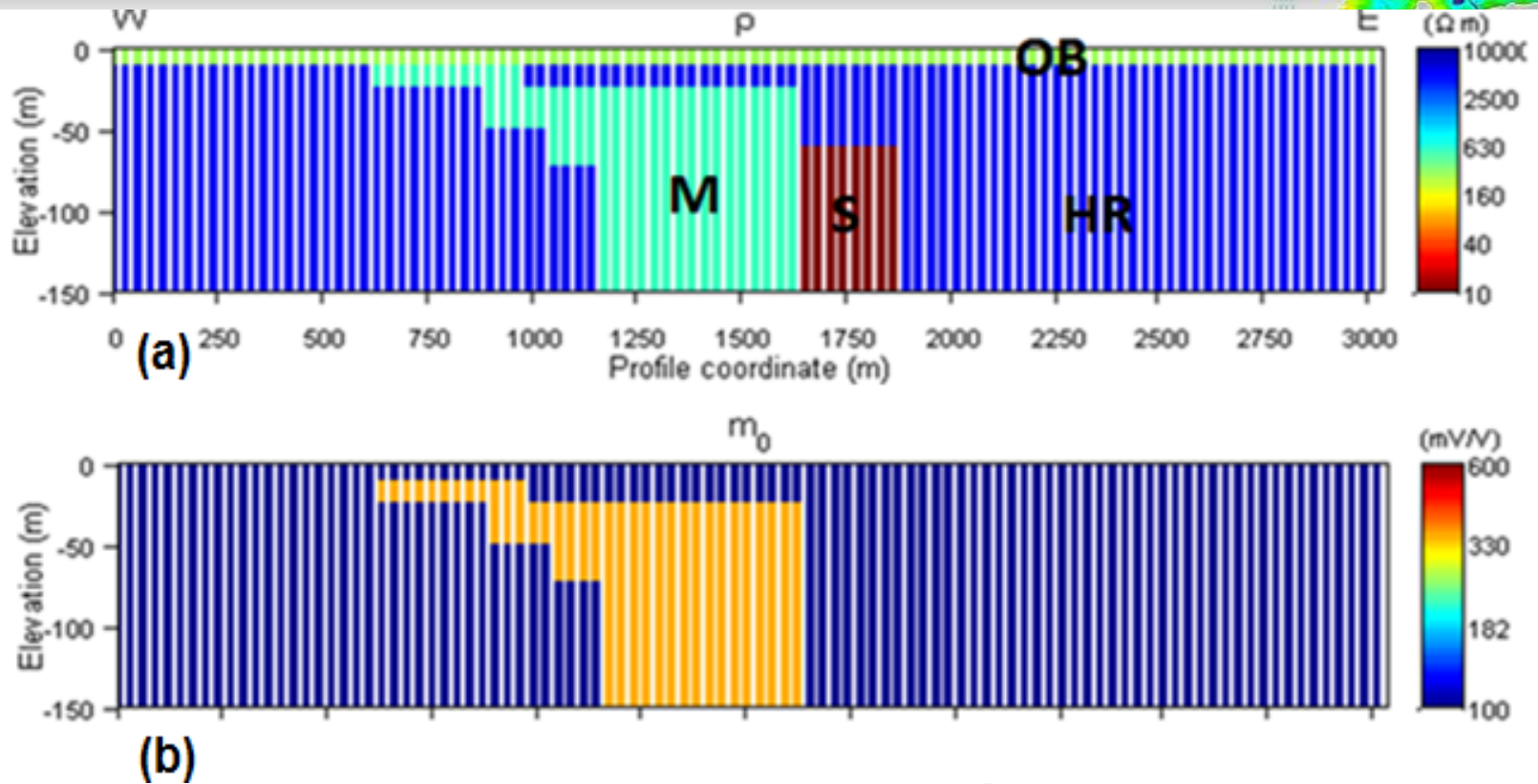
The charging up in TEM vs DC



DC



Brief investigation into non uniqueness, and on locking c

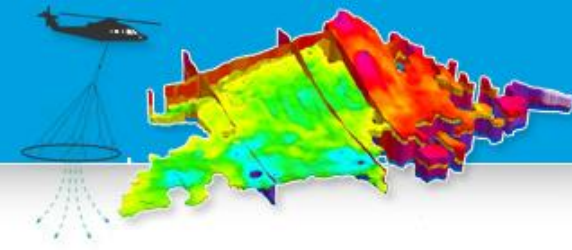


$$\Delta Par_{i,j}^k = \log_{10} Par_{i,j}^{out(k)} - \log_{10} Par_{i,j}^{true}$$

$$Mode(\Delta Par_{i,j})$$



Brief investigation into non uniqueness, and on locking c



Mode ($\Delta m_{i,j}$)

- Locking c

- solving for c

